



FACULTY OF ENGINEERING AND TECHNOLOGY

DEPARTMENT OF ELECTRICAL AND COMPUTER

ENGINEERING

COMMUNICATIONS LABORATORY MANUAL

ENEE4103

Updated: May, 2016

Experiment #1

AM and DSBsc Modulation and Demodulation

Prelab:

- **Theoretical Review**

Review the AM and DSBsc modulation techniques from the text book of the courses ENEE3303 and ENEE339.

- **Matlab Simulation**

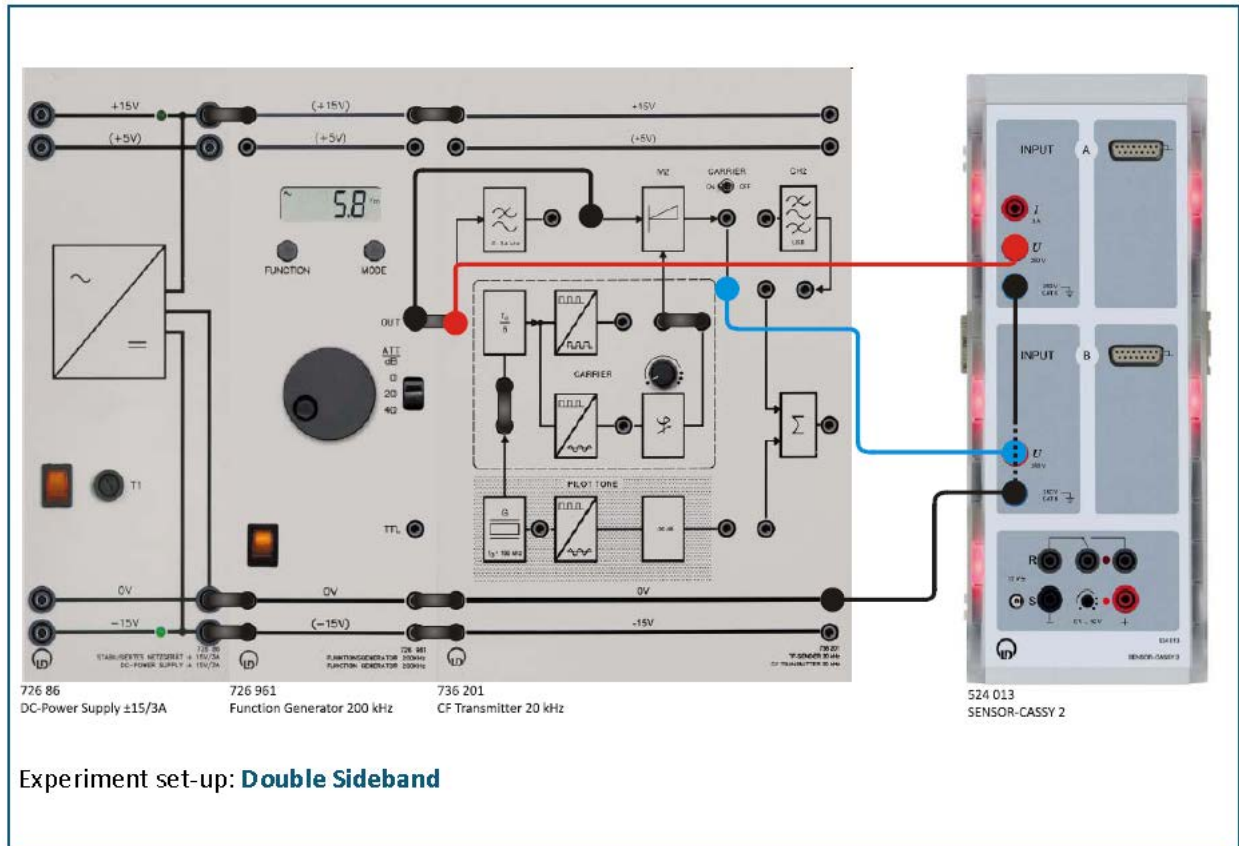
Use MATLAB command and M files to draw the demodulated signal after the envelope detector given that:

$$S_M(t) = A_c[1 + \mu \cos(\omega_m t)]\cos(\omega_c t)$$

1. Write the mathematical expression for the demodulated signal.
2. Use MATLAB command and M files to draw the demodulated signal for the following three cases:
 - a. $A_c=16\text{v}$, modulation index=0.22, modulating signal frequency=800Hz
 - b. $A_c=16\text{v}$, modulation index=1, modulating signal frequency=800Hz
 - c. $A_c=16\text{v}$, modulation index=1.85, modulating signal frequency=800Hz
3. Discuss your result in each part .you must write the commands which are used in the Pre-lab.

Part One: AM Modulation

Experiment set-up: Assemble the components as shown below. Set the function generator to: sine, $A_M = 2\text{ V}$ and $f_M = 2\text{ kHz}$.



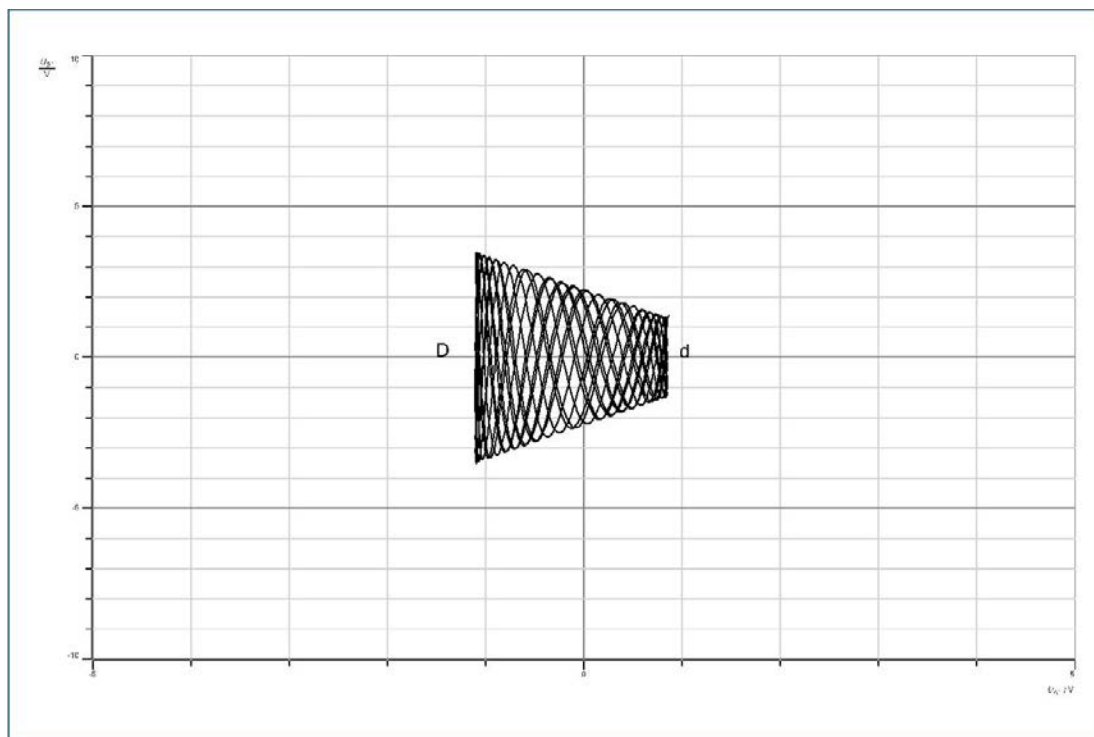
- Set toggle switch to **CARRIER ON** setting.
- Load the CASSY Lab 2 example Diagram 3.1-1.labx.
- Start the measurement by pressing **F9**.
- Display the output signal of the modulator M2 on CASSY lab 2 (this signal is called the **modulation product $S_{AM}(t)$**) and the modulating signal $S_M(t)$ of the function generator (Modulation product on channel B, modulating signal on channel A of Sensor - CASSY 2 Starter). Shift the AF signal (modulating signal) to the upper or lower envelope curve of the AM signal. For this purpose see the CASSY lab 2 settings.
- Vary the frequency f_M and the amplitude A_M of the modulating signal of the frequency generator. What do you observe?

- Trigger to the modulating signal $S_M(t)$. Reduce the AM signal of function generator to approx. 1 V. Determine the modulation depth m . The following applies for the modulation depth m :

$$m = \frac{\Delta A_C}{A_C} = \frac{D - d}{D + d}$$

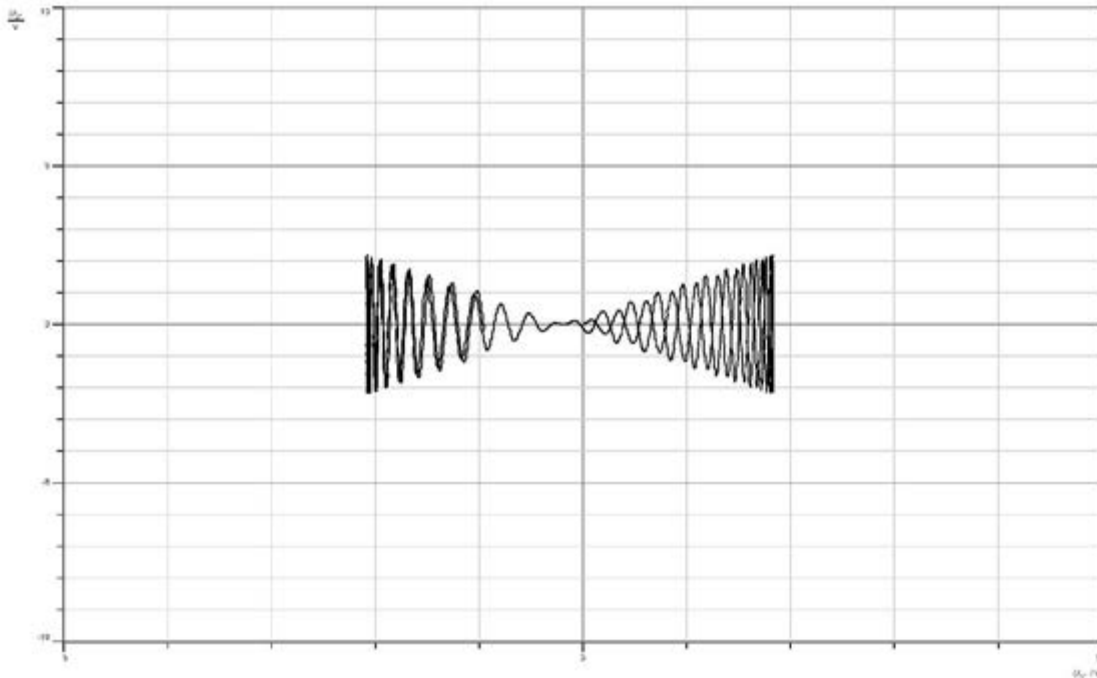
Where

- D : Peak-to-peak value of the maximum of the AM signal
- d : Peak-to-peak value of the minimum of the AM signal
- Distortion can only be detected with difficulty when determining the modulation depth directly from the modulated signal. A better approach is to determine m from the modulation trapezoid. For this Sensor - CASSY 2 is operated in **XY modus** and the message signal $S_M(t)$ is used for horizontal deflection. The result obtained on the screen is a trapezoid which opens to the left. Set the function generator to: sine, $A_M = 2$ V and $f_M = 2$ kHz. Load the CASSY Lab 2 example Diagram 3.1-2.labx.



Part Two: DSB_{sc} Modulation

- Keep the experiment setup as in part one but set the toggle switch to **CARRIER OFF**.
- Set the function generator to: sine, $A_M = 2$ V and $f_M = 2$ kHz.
- Load the CASSY Lab 2 example Diagram 3.1-3.labx.
- Start the measurement by pressing **F9**.
- Proceed as described in the paragraph to “**DSB**”. What is this kind of signal called? What characteristics does it have?
- Display the modulation trapezoid in Diagram below, assess the modulation distortion. Repeat the experiment. This time feed the modulating signal $S_M(t)$ via *the low pass (LP) filter* in modulator M2. Set the function generator to: sine, $A_M = 2$ V and $f_M = 2$ kHz. Vary f_M . What do you observe?



Part Three: Spectrum of AM Modulation

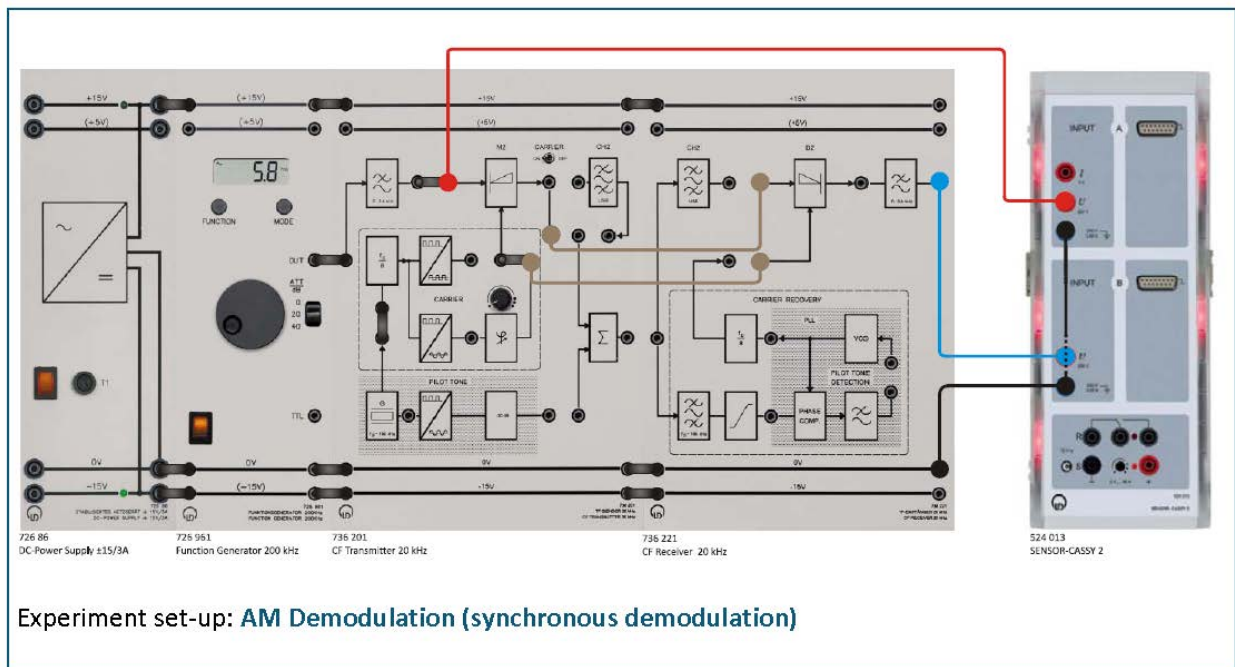
- Keep the experiment setup as in part one, make sure that the toggle switch is set to the **CARRIER ON** position.
- Use a sinusoidal signal with $A_M = 2$ V and $f_M = 2$ kHz of the function generator as the modulating signal $S_M(t)$.
 - Feed the modulating signal into the input LP filter of the CF transmitter.
 - Measure the AM spectrum in the range from approx. 15 kHz up to 25 kHz.
- For this Sensor - CASSY 2 - Starter is operated in **FFT modus**. For this purpose see the CASSY lab 2 settings.
- Load the CASSY Lab 2 example Diagram 3.2-1.labx.
- Start the measurement by pressing F9
- Repeat the experiment for $S_M(t)$: Sinusoidal, $A_M = 1$ V and $f_M = 3$ kHz.
 - Feed the modulating signal $S_M(t)$ directly (without the Low Pass (LP) filter) into the modulator M2 (why?).
 - Keep the Sensor - CASSY 2 -Starter settings unchanged. Load the CASSY Lab 2 example Diagram 3.2-2.labx.
 - Compare the results.
 - How does the Upper Side Line (*USL*) respond as a function of the signal frequency f_M ?
 - What about the Lower Side Line (*LSL*)?
 - What is the frequency response of the *LSL* and *USL*?
 - Determine the transmission bandwidth of the *AM* signal based on the measurements. Generalize your results for a randomly taken modulating signal.
 - Determine the modulation depth m from the various spectra.

Part Four: Spectrum of DSB_{sc} Modulation

- Set the toggle switch to **CARRIER OFF**.
- Use a sinusoidal signal with $A_M = 2\text{ V}$ and $f_M = 2\text{ kHz}$ of the function generator as a modulating signal.
- Measure the spectrum as described in paragraph “DSB”.
- Load the CASSY Lab 2 example Diagram 3.2-3.labx.
- Start the measurement by pressing F9.
- Repeat the recording of the spectrum for a modulating **square-wave signal** with $A_M = 2\text{ V}$ and $f_M = 2\text{ kHz}$. Feed the square-wave signal directly of the frequency generator and the CARRIER into the modulator M2 . Explain your findings.

Part Five: DSB_{sc} synchronous demodulation

Experiment set-up: Assemble the components as shown below. Set the function generator to: sine, $A_M = 2\text{ V}$ and $f_M = 2\text{ kHz}$



- Set the phase controller on the CF transmitter to far left limit. Feed the *DSB* signal from the output of the modulator M2 directly into the demodulator D2 (do not use channel filter CH2!). Using a connecting lead feed the carrier signal ($f_c = 20\text{ kHz}$) of

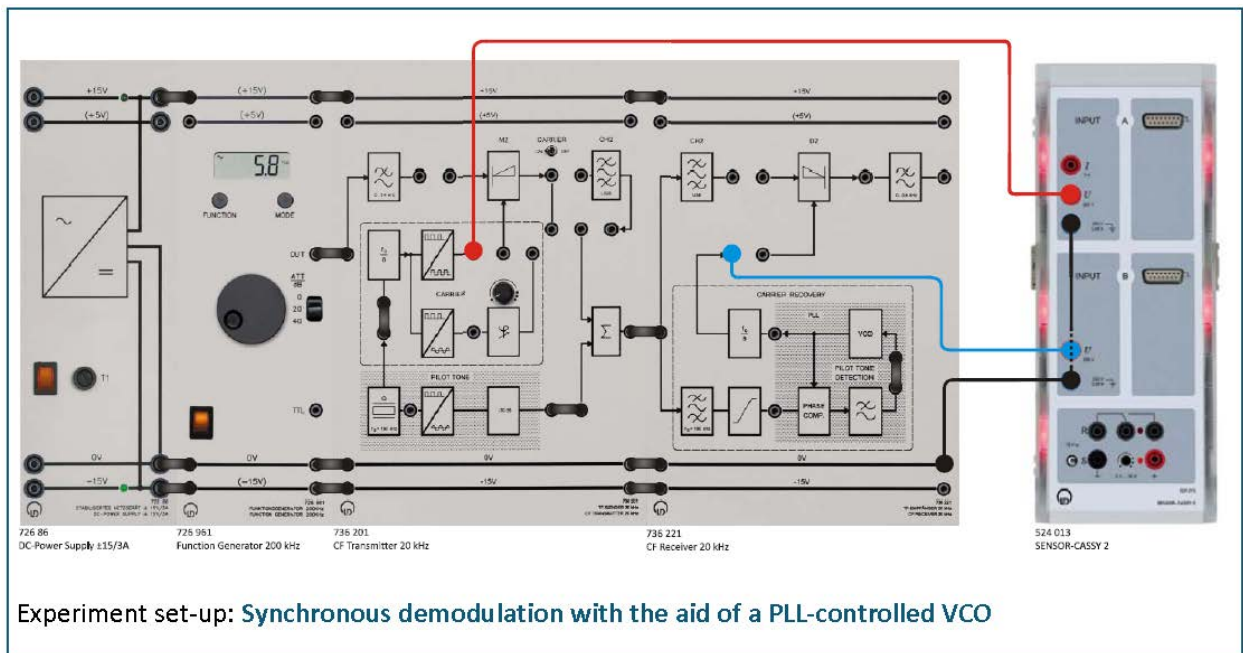
Experiment #1: AM and DSBSc Modulation and Demodulation

the CF transmitter into the auxiliary carrier input of the demodulator D2. What have you achieved by this?

- Load the CASSY Lab 2 example Diagram 3.3-1.labx.
- Display the modulating signal $S_M(t)$ on CASSY lab 2 as well as the demodulated signal $S_D(t)$ at the output of the LP filter of the CF receiver. Sketch the curve of the modulating signal and the demodulated signal in Diagram 3.3-1. Tap the auxiliary carrier for the demodulator D2 in front of the phase shifter of the CF transmitter.
- Start the measurement by pressing F9.

Part Six: DSB_{SC} synchronous demodulation with the aid of a PLL-controlled VCO

- Remove the cable connected to the auxiliary carrier input of the demodulator D2. For this insert the bridging plug between the CARRIER RECOVERY and auxiliary carrier input of D2. Use now for demodulation the recovered auxiliary carrier from the PLL CARRIER RECOVERY. Assemble the experiment set-up as shown below.



- Sketch the pilot tone of the transmitter and the recovered signal in the receiver at the output of the PLL circuit in Diagram 3.3-2.
- Load the CASSY Lab 2 example Diagram 3.3-2.labx.

- Start the measurement by pressing F9.

Questions

Q.1. What is meant by modulation? Mixing?

Q.2. Name the reasons for performing modulation!

Q.3. In DSB the carrier's peak values are affected by the instantaneous value of the message signal, but the spectrum shows that the carrier amplitude remains constant! How do you explain the apparent contradiction?

Q.4. Define amplitude deviation and the modulation index.

Q.5. Which methods of AM demodulation are you familiar with and how do they differ?

Q.6. How high is the maximum efficiency in DSB? How can the efficiency be increased?

Experiment #2

Single Sideband AM (SSB) and Ring Modulator

Prelab:

- **Theoretical Review**

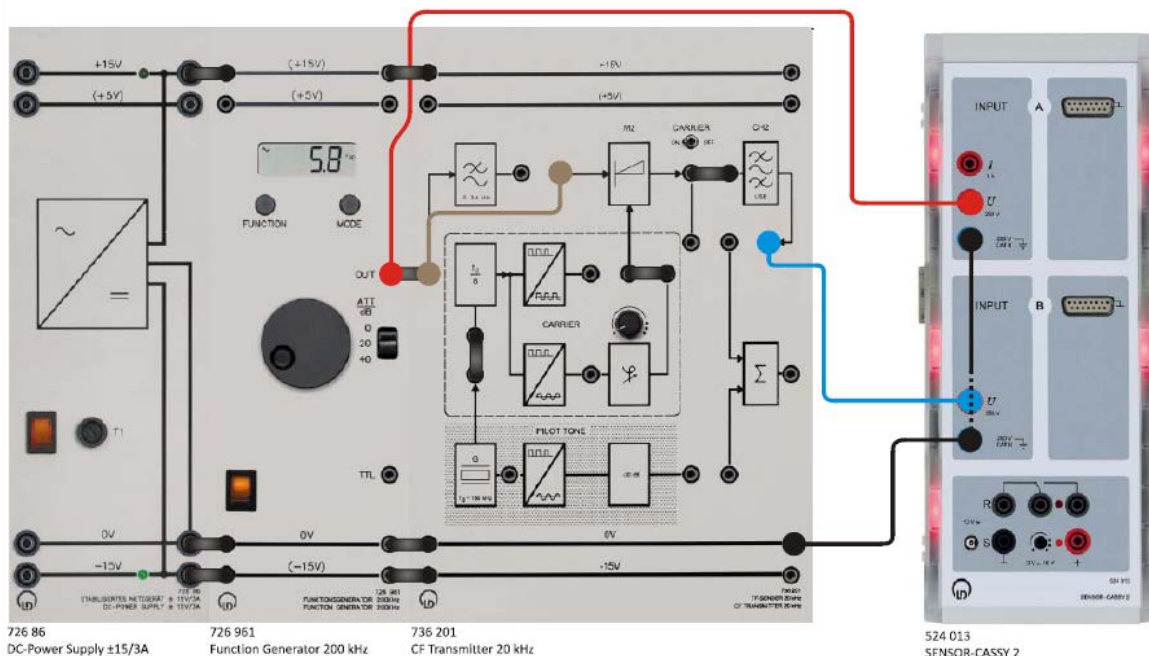
Review the AM and SSB modulation techniques from the text book of the courses ENEE3303 and ENEE339.

- **Matlab Simulation**

Using Matlab software and Simulink, to show graphically the time domain of SSB-SC modulated Signal. Taking the modulating signal $m(t) = \cos 2\pi(1500)t$ and the carrier signal $c(t) = 4\cos 2\pi(100000)t$.

Part One: SSB with Residual Carrier (SSB_{RC}) Modulation

Experiment set-up: Set up the experiment as specified below. Connect the output of the function generator directly to the AF input of the modulator M2. Set the function generator to: sinusoidal, $A_M = 2$ V and $f_M = 2$ kHz.



Experiment set-up: **Single Sideband**

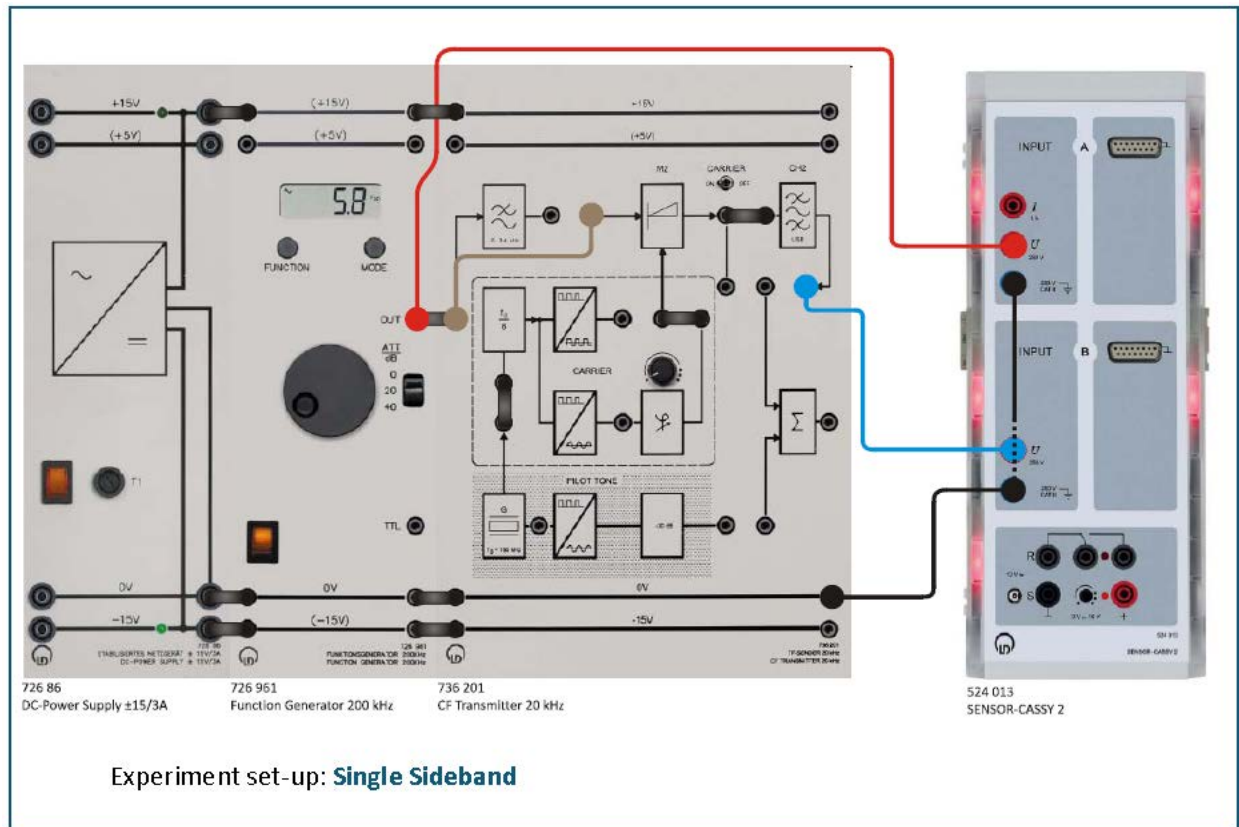
Experiment #2: Single Sideband AM (SSB) and Ring Modulator

- Set the toggle switch to CARRIER ON.
- Feed a sine signal from the function generator with $f = 2 \text{ kHz}$, $A = 1.5 \text{ V}$
- Display the output signal of the channel filter CH2 and the modulating signal $s_M(t)$ of the function generator on Sensor - CASSY 2 - Starter and sketch the signals. (Modulation product on channel B, modulating signal on channel A of Sensor - CASSY 2 - Starter).
- Load the CASSY Lab 2 example Diagram 4.1-1.labx.
- Start the measurement by pressing F9.
- Shift the AF signal to the upper or lower envelope curve of the AM signal. Vary the frequency f_M and the amplitude A_M of the modulating signal. What do you observe?
- Trigger to the modulating signal $s_M(t)$.
 - Switch the modulating signal off.
 - Measure the un-attenuated carrier amplitude A_C at the input of the channel filter
 - Measure the amplitude A_{RC} of the attenuated carrier at the output of the channel filter.
 - Calculate the ratio $k = A_{RC}/A_C$.
 - Determine the carrier suppression t in dB according to the equation

$$t = 20 \log \frac{m}{2k}$$

Part Two: SSB with Suppressed Carrier (SSB_{SC}) Modulation

Experiment set-up: Set up the experiment as specified in the next figure. Connect the output of the function generator directly to the AF input of the modulator M2. Set the function generator to: sinusoidal, $A_M = 2\text{ V}$ and $f_M = 2\text{ kHz}$.



- Keep the experiment setup as in part one but set the toggle switch to **CARRIER OFF**.
- Load the CASSY Lab 2 example Diagram 4.1-2.labx.
- Start the measurement by pressing F9.
- What features does the SSB_{SC} signal have?

Part Three: Spectrum of the SSB_{RC}

- Keep the experiment setup as in part one, make sure that the toggle switch is set to the **CARRIER ON** position.
- As the modulating signal use a sinusoidal signal with $A_M = 2\text{ V}$ and $f_M = 1\text{ kHz}$. Feed the modulating signal into the input LP filter of the CF transmitter.

- Measure the SSB spectrum in the range of approx. 15 kHz up to 25 kHz obtained from:

$$S_{AM}(n) = \frac{S(n)}{V_1 \cdot V_2}$$

- Label the spectral lines.
- Determine the transmission bandwidth of the AM signal based on the measurements.
- Generalize the results for the case of any modulating signals.

Part Four: Spectrum of the SSB_{sc}

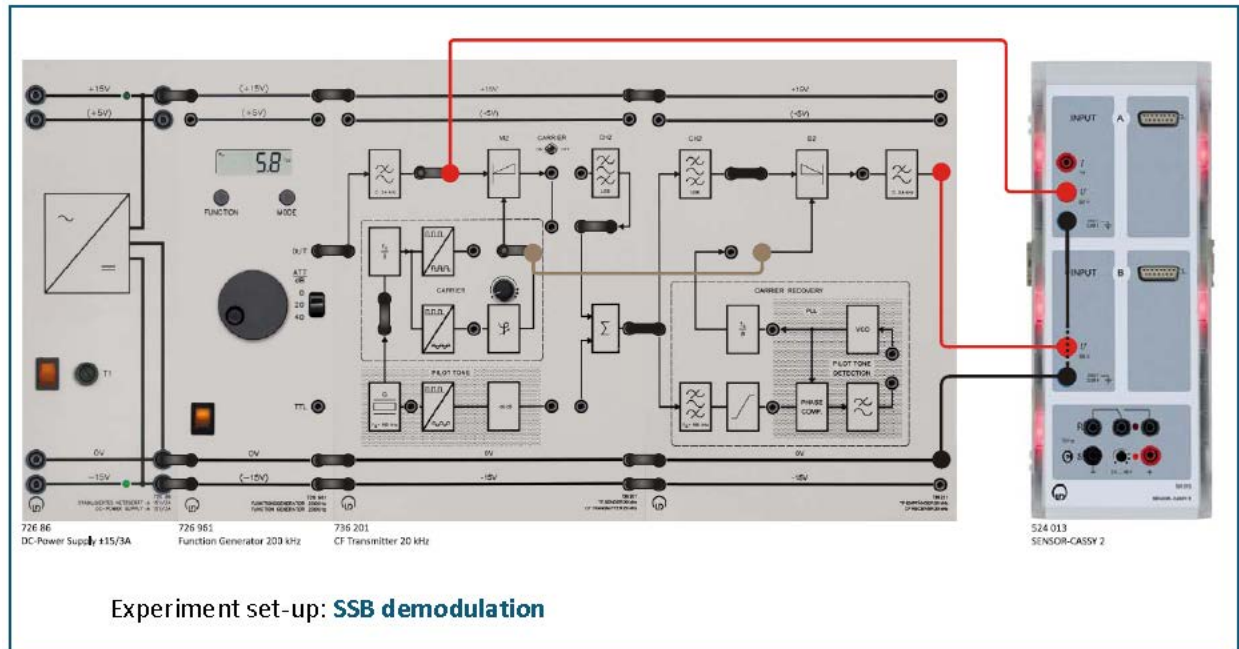
- Keep the experiment setup as in part one, make sure that the toggle switch is set to the **CARRIER OFF** position.
- As the modulating signal use a sinusoidal signal with $A_M = 2$ V and $f_M = 2$ kHz. Feed the modulating signal into the input LP filter of the CF transmitter.
- Measure the SSB spectrum in the range of approx. 15 kHz up to 25 kHz obtained from:

$$S_{AM}(n) = \frac{S(n)}{V_1 \cdot V_2}$$

- Label the spectral lines.
- Determine the transmission bandwidth of the AM signal based on the measurements.
- Generalize the results for the case of any modulating signals.

Part Five: SSB_{RC} demodulation

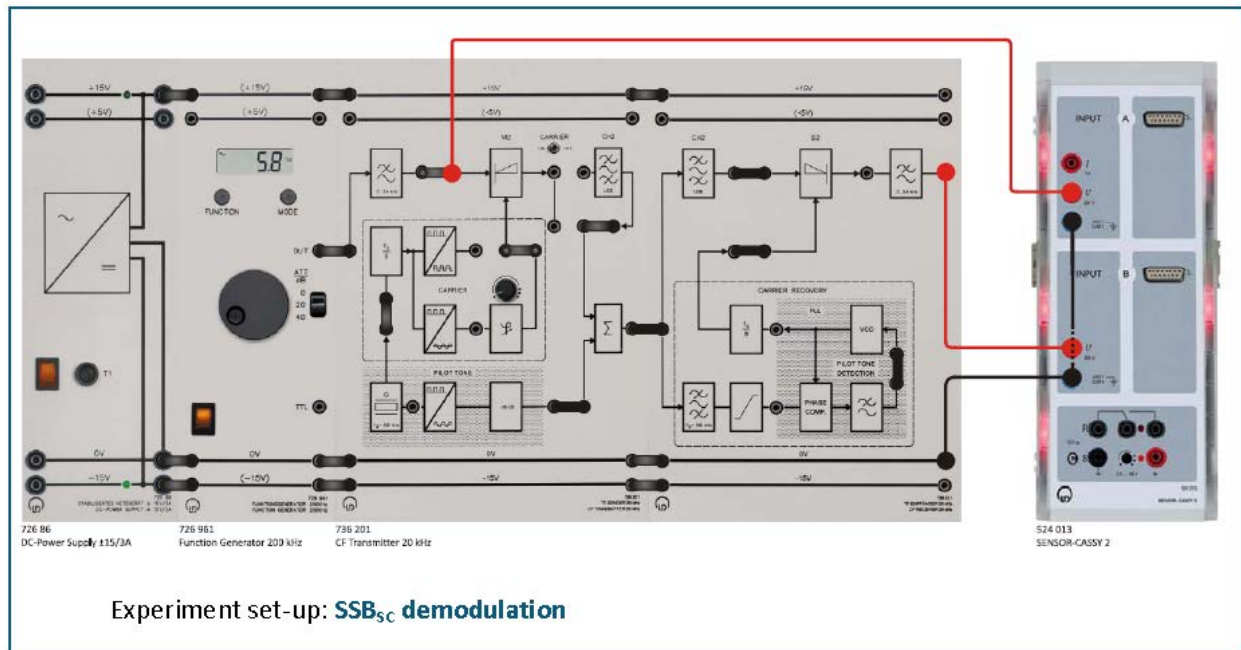
Experiment set-up: Set up the experiment as specified below. Start with the settings of the Sensor-CASSY 2. Load the CASSY Lab 2 example Diagram 4.1-1.labx. With the aid of a connecting lead feed the carrier signal ($f_C = 20$ kHz) of the CF transmitter directly into the RF input of the demodulator D2. What have you achieved by this? Set the function generator to: sinusoidal, AM = 2 V and $f_M = 2$ kHz.



- Display the modulating signal $s_M(t)$ on Sensor-CASSY 2 - Starter as well as the demodulated signal $s_D(t)$ at the output of the LP filter of the CF receiver.
- Load the CASSY Lab 2 example Diagram 4.3-1.labx.
- Start the measurement by pressing F9.
- Adjust the phase between the original carrier of the transmitter and the auxiliary carrier of the receiver. What do you observe?

Part Six: SSB_{RC} demodulation

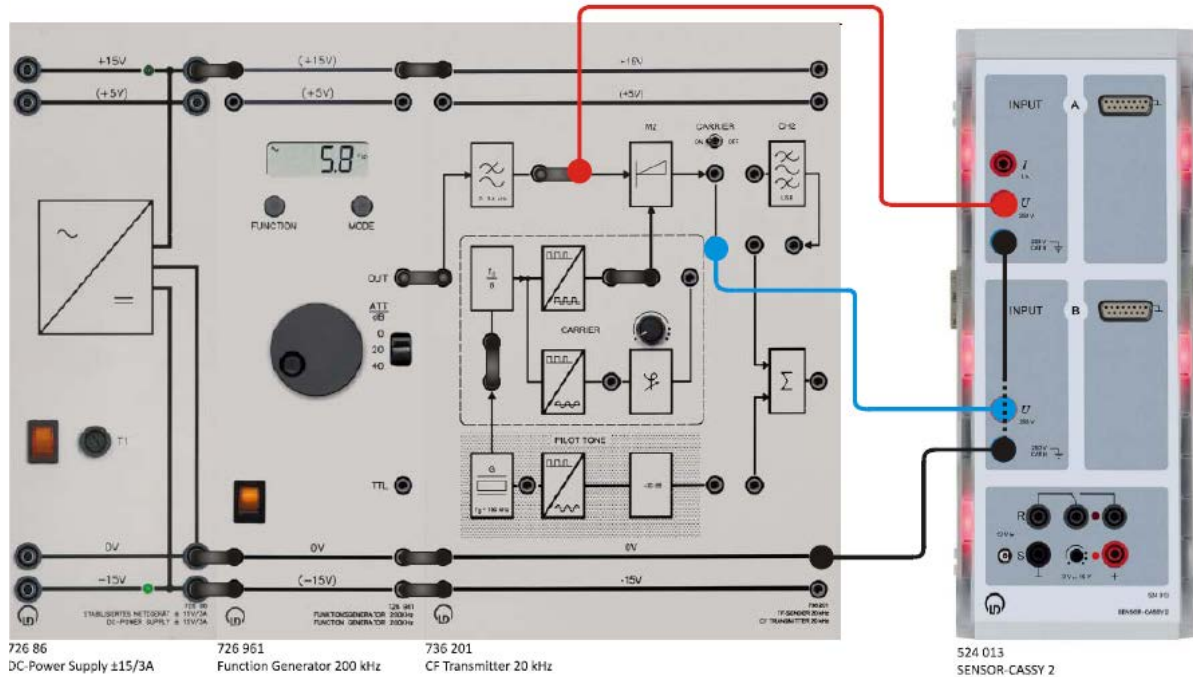
- Remove the connecting lead between the CF transmitter and the demodulator.
- Now for the demodulation use the recovered auxiliary carrier from the PLL circuit to recover the carrier.
- For this connect the bridging plug between CARRIER RECOVERY and the auxiliary carrier input of D2.
- Discuss your findings.



- Set the toggle switch to CARRIER OFF.
- This time repeat the experiment for SSBSC.
- Load the CASSY Lab 2 example Diagram 4.3-2.labx.
- Start the measurement by pressing F9.

Part Seven: The Ring Modulator

Experiment set-up: Operating the CF transmitter as a ring modulator, set up the experiment as specified in the following figure.



Experiment set-up: **To examine signal characteristics at the ring modulator**

- Display the modulating AF signal and the output signal of the modulator on Sensor-CASSY 2 - Starter. Sketch the signal in Diagram 5.1-1.
- Set the toggle switch to **CARRIER OFF**.
- Use the bridging plug to feed the square-wave carrier into the RF input of the modulator.
- Feed a sinusoidal signal with $f_M = 2 \text{ kHz}$ and $AM = 2 \text{ V}$ as the modulating signal into the AF input of the modulator.
- Load the CASSY Lab 2 example Diagram 5.1-1.labx.
- Start the measurement by pressing F9
- Repeat the experiment with **CARRIER ON**.
- Load the CASSY Lab 2 example Diagram 5.1-2.labx.
- Start the measurement by pressing F9.

Part Eight: Spectrum at the output of the ring modulator

- Set the toggle switch to CARRIER OFF! Record the spectrum of the modulation product at the output of the modulator M2 in the range 0.5 kHz...150 kHz.
- Load the CASSY Lab 2 example Diagram 5.1-3.labx.
- Start the measurement by pressing F9.

Questions

- Q.1. In radio links the carrier is normally attenuated to 5%...10%. What advantages does this have compared to transmission with 100% carrier amplitude? Why isn't the carrier completely suppressed?
- Q.2. Which methods of carrier suppression are there?
- Q.3. Which demodulation method is used for AM with suppressed carrier?

Experiment #3

Angle Modulation – Part 1

Prelab: Matlab Simulation

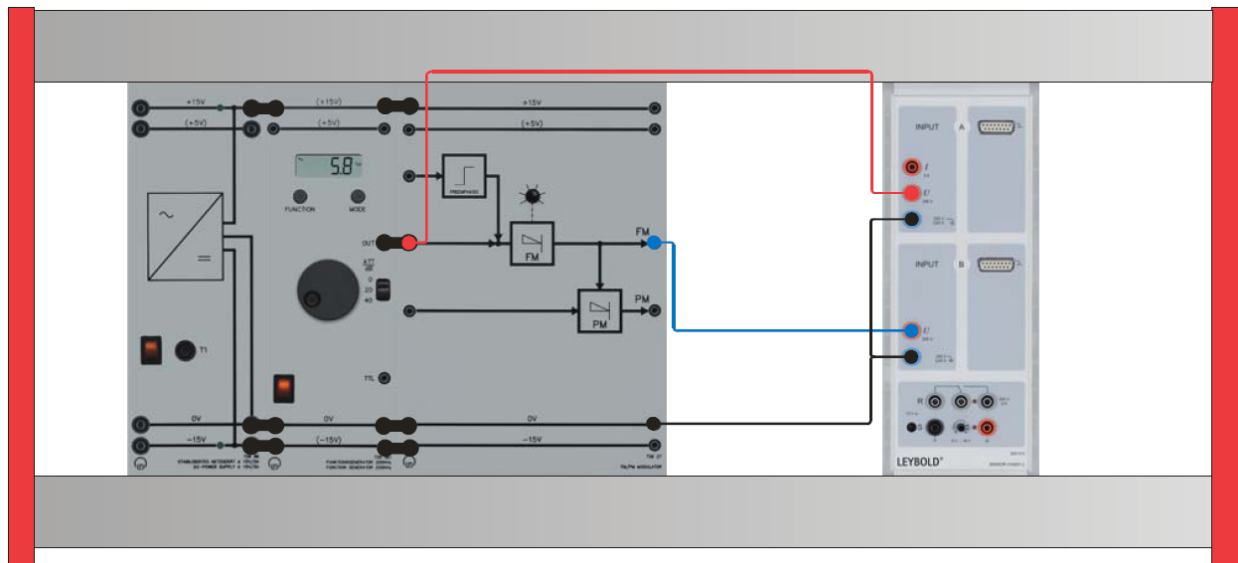
Consider the frequency modulated signal:

$$S(t) = \cos[2\pi(17)t + 4\sin(2\pi t)]$$

- Find the message signal $m(t)$.
- Plot $s(t)$ versus t for $-1 \leq t \leq 1$.
- Differentiate $s(t)$ with respect to t and plot $ds(t)/dt$ for $-1 \leq t \leq 1$. Notice how this operation transforms an FM waveform into an AM waveform.
- Apply $ds(t)/dt$ to an ideal envelope detector, subtract the dc term and show that the detector's output is linearly proportional to $m(t)$.

Part One: Dynamic response of FM

Experiment set-up: Assemble the components as shown below



- Set the carrier frequency to center position: $f_c = 20$ kHz approx.
- Use a sinusoidal signal with $A_M = 20$ Vpp and $f_M = 1.0$ kHz of the function generator as the modulating signal $s_M(t)$. Feed the modulating signal into the input of the FM modulator.
- Load the CASSY Lab 2 example FM_TD.labx.
- Start the measurement by pressing F9.

Part Two: The Characteristic of the FM Modulator

Experiment set-up: Use the same setup in Part One

- Load the CASSY Lab 2 example FM_FFT.labx.
- Start the measurement by pressing F9.
- With the potentiometer, set the frequency of the carrier line to $f_c = 20.0$ kHz.
- Use a DC-signal with -10 V of the function generator as input signal.
- Feed the DC-signal into the input of the FM modulator.
- Determine the frequency f_c of the carrier from the spectrum.
- Enhance the DC voltage in steps of 1 V and repeat each time the measurement of the carrier frequency $f_c = f_{VCO}$.
- Note all frequency values in the table.
- Draw the characteristic carrier frequency versus the control voltage of the VCO for $U_1 = -10, -9, -8, \dots, -1, 0, 1, 2, \dots, 8, 10$
- Determine the coefficient of the FM modulator:

$$k_{FM} = \frac{\Delta f_{VCO}}{\Delta U_1}$$

Part Three: Determination of the frequency deviation

The maximum frequency deviation depends of the coefficient of the FM modulator and the amplitude of the modulating signal.

$$\Delta F_{FM} = k_{FM} \cdot \frac{20V}{2}$$

Part Four: Measurements in the frequency domain of FM

Experiment set-up: Use the same setup in Part One

- Remove the bridging plug from the function generator to the FM modulator.
- Load the CASSY Lab 2 example FM_FFT.labx.
- Start the measurement by pressing F9.
- Set the carrier frequency to 20.0 kHz with the potentiometer.
- Reconnect the function generator to the FM modulator with the bridging plug again.
- Use a sinusoidal signal with $A_M = 20 \text{ V}_{pp}$ (= amplitude 10 V) and $f_M = 300 \text{ Hz}$ of the function generator as the modulating signal $s_M(t)$. Hints:
 - The function generator displays peak to peak values.
 - Reset the DC offset to 0 V.
- Feed the modulating signal into the input of the FM modulator.
- Sketch the graph of the FM spectrum.
- Interpret the result.
- Repeat the measurement of the FM spectrum for a modulating signal $A_M = 20 \text{ V}_{pp}$ and $f_M = 200 \text{ Hz}$.

Part Five: Determining the carrier zero crossings by varying the frequency deviation ΔF_{FM} .

- Use a sinusoidal signal with $A_M = 0 \text{ V}_{pp}$ and $f_M = 100 \text{ Hz}$ of the function generator as the modulating signal $s_M(t)$.
- Feed the modulating signal into the input of the FM modulator.
- Load the CASSY Lab 2 example FM_FFT.labx.
- Start the measurement by pressing F9.
- Slowly enhance the amplitude of the modulating signal A_M of the function generator.
- Observe the decay of the carrier line.

- Note the values of the amplitudes A_M of the modulating signal, when the carrier line disappears. Hint: the function generator displays peak to peak values.
- Enter your measurements into the table and calculate the modulation index η .
- Sketch the graph of the FM spectrum for the first carrier zero crossing.

$$\eta_{FM} = \frac{k_{FM} A_M}{f_M} = 0,4 \cdot A_M$$

With A_M the amplitude of the modulating signal in V and a fix modulating frequency $f_M = 100$ Hz.

Part Six: Determine the carrier zero crossings by varying the modulating frequency f_M .

- Use a sinusoidal signal with $A_M = 20$ V_{pp} (amplitude 10 V) and $f_M = 3.0$ kHz of the function generator as the modulating signal $s_M(t)$. Feed the modulating signal into the input of the FM modulator.
- Load the CASSY Lab 2 example FM_FFT.labx.
- Start the measurement by pressing F9.
- Slowly reduce the frequency of the modulating signal f_M of the function generator. Observe the decay of the carrier line.
- Sketch the graph of the FM spectrum for the first carrier zero crossing.
- Note the values of the frequencies of the modulating signal f_M when the carrier line disappears.

Enter your measurements into the table and calculate the modulation index η .

$$\eta_{FM} = \frac{k_{FM} A_M}{f_M} = \frac{800}{f_M}$$

With f_M the frequency of the modulating signal in Hz and a fix amplitude $A_M = 20$ V_{pp}.

Part Seven: FM spectrum for square wave modulation

- Use a square wave signal with $A_M = 20\text{ V}_{pp}$ (amplitude 10 V, duty cycle 50%) and $f_M = 200\text{ Hz}$ of the function generator as the modulating signal $s_M(t)$.
- Feed the modulating signal into the input of the FM modulator.
- Load the CASSY Lab 2 example FM_FFT.labx.
- Start the measurement by pressing *F9*.
- Sketch the graph of the FM spectrum.
- Interpret the results.

Questions

Q.1. Which carrier parameters can be used for angle modulation?

Q.2. Which angle modulation method is least affected by noise? Why?

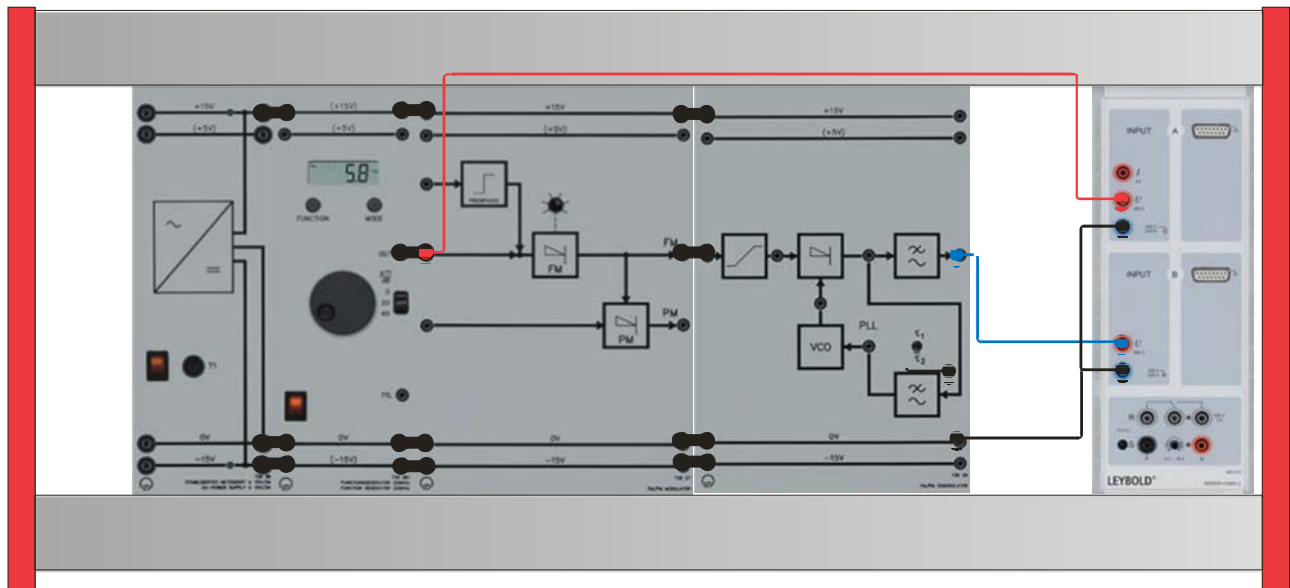
Q.3. In FM with $\eta = 1.0$ how high are the amplitudes of the 1st sideline compared to AM for $m = 100\%$? Given that the amplitude of the unmodulated carrier is $A_c = 1\text{ V}$.

Experiment #4

Angle Modulation – Part 2

Part One: FM demodulation for loop filter τ_2

To carry out this experiment, assemble the components as shown below.



A) Time response of the FM modulating system

- Feed the modulating signal into the input of the FM modulator.
- Set the loop filter of the FM demodulator to τ_2 .
- Use a sinusoidal modulating signal $s_M(t)$ with $A_M = 10 \text{ V}_{pp}$ and $f_M = 500 \text{ Hz}$.
- Measure at the input of the FM modulator and at the output of the FM demodulator.
- Load the CASSY Lab 2 example FM_TDem.labx.
- Start the measurement by pressing F9. Hint: If necessary, correct the frequency of the carrier line to $f_c = 20.0 \text{ kHz}$ (without modulating signal).
- Sketch the time responses of the modulating signal $s_M(t)$ and the demodulated signal $s_D(t)$.

B) Transfer characteristic of the FM modulating system

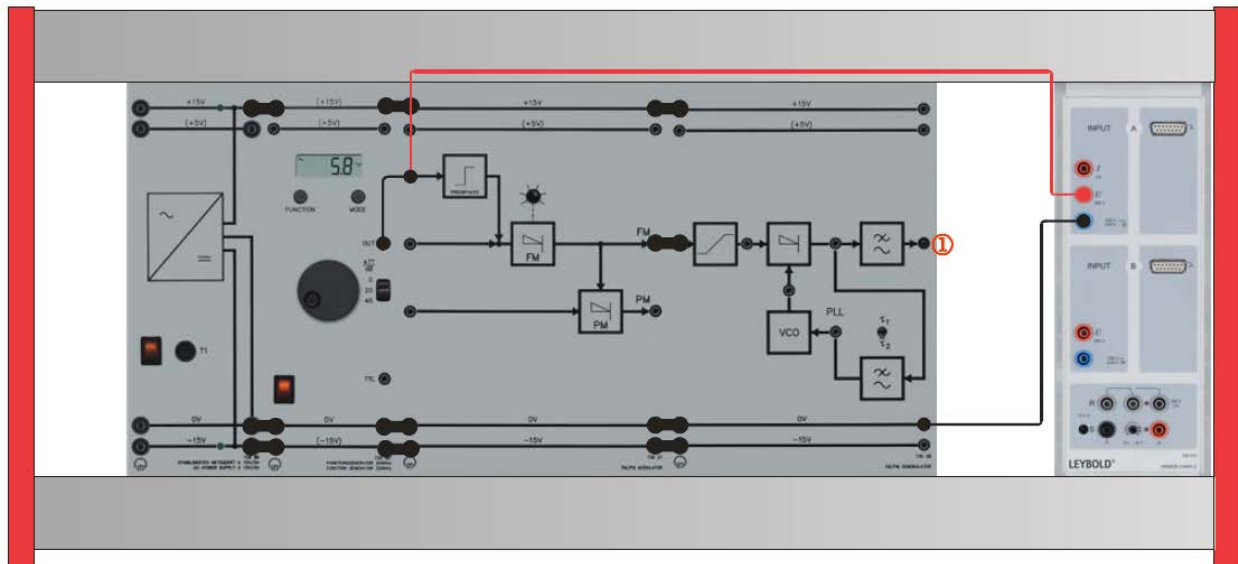
- Use a sinusoidal modulating signal $s_M(t)$ with $A_M = 2 \text{ V}_{pp}$ and initially $f_M = 500 \text{ Hz}$.
- Load the CASSY Lab 2 example FM_FFT_Dem.labx.
- Start the measurement by pressing F9.
- Determine the amplitude of the demodulated signal A_D with the spectrum analyser.
- Note the value into the table.
- Enhance the frequency of the modulated signal in steps of 500 Hz and repeat the measurement (up to 5000 Hz).
- Sketch the results in a diagram.

Part Two: FM demodulation for loop filter τ_1

Repeat the experiment in Part eight while setting the loop filter of the FM demodulator to τ_1 .

Part Three: FM preemphasis

Experiment set-up: Assemble the components as shown.



- Set the loop filter of the FM demodulator to τ_2 .
- Set the function generator to a sinusoidal modulating signal $s_M(t)$ with $A_M = 5 \text{ V}_{pp}$ and initially $f_M = 500 \text{ Hz}$.

A) Time characteristic of the input signals

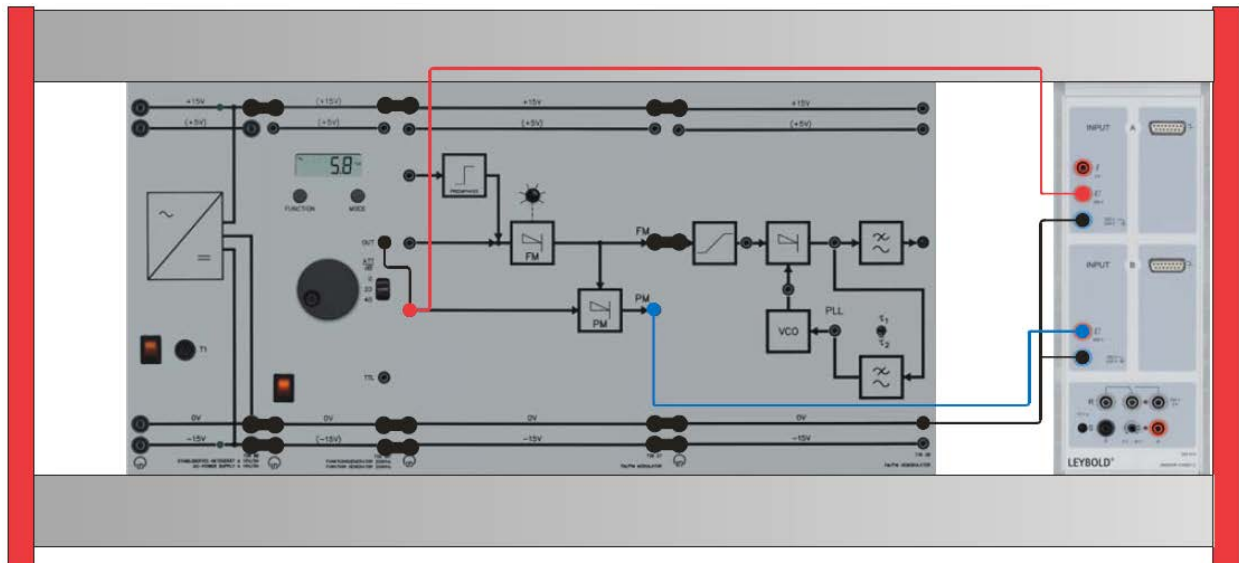
- Measure at the input of the preemphasis stage with channel A of the Sensor-CASSY2.
- Load the CASSY Lab 2 example FM_PreDem.labx.
- Start the measurement by pressing F9.
- Sketch the time response of the modulating signal $s_M(t)$.
- Set the function generator sequentially to 1000 Hz and 2000 Hz. Repeat the measurement by pressing F9 again.
- Sketch the time response of the input signal of the preemphasis stage.

B) Time characteristic of the output signals

- Repeat the experiment above, after carrying out the following changes.
- Set the function generator to a sinusoidal modulating signal $s_M(t)$ with $A_M = 5$ Vpp and initially $f_M = 500$ Hz.
- Set the loop filter of the FM demodulator to τ_2 .
- Measure at the output of the FM demodulator low pass filter (\square) with channel A of the Sensor-CASSY2.
- Load the CASSY Lab 2 example FM_PreDem.labx.
- Start the measurement by pressing F9.
- Sketch the time response of the demodulating signal $s_D(t)$.
- Set the function generator sequentially to 1000 Hz and 2000 Hz. Repeat the measurement by pressing F9 again.
- Sketch the time response of the output signal of the FM demodulator.
- Interpret your results.

Part Four: Dynamic response of Phase Modulation (PM)

Experiment set-up: Connect the components as shown below.



- Set the carrier frequency to center position: $f_c = 20$ kHz approx.
- Set the function generator to a sinusoidal modulating signal $s_M(t)$ with $A_M = 2$ V_{pp} and $f_M = 1000$ Hz.
- Feed the modulating signal $s_M(t)$ into the input of the PM modulator.
- Measure the modulating signal with channel A of the Sensor-CASSY2.
- Measure the PM signal at the output of the PM modulator with channel B of the Sensor CASSY2.
- Load the CASSY Lab 2 example PM_TDsScope.labx.
- Start the measurement by pressing F9.
- Interpret your results.

Part Five: Characteristic of the PM modulator

- Set the carrier frequency to center position: $f_c = 20$ kHz approx.
- Set the function generator to DC.
- Feed a DC voltage $U_1 = -1.0 \dots +1.0$ V into the input of the PM modulator.
- Load the CASSY Lab 2 example PM_TD.labx.
- Start the measurement by pressing F9.

- Determine the phase shift $\Delta X/\mu s$ between the carrier oscillations of the FM and PM output. Use *Set Marker / Vertical Line* and *Measure Difference* of CASSY Lab2 to evaluate your measurements.
- Enter your results into the table and calculate the phase shift.
- Sketch the characteristic $\Delta X = f(U_1)$ of the phase modulator.
- Sketch the time characteristics for -1.0 V and +1.0 V.
- Interpret your results.

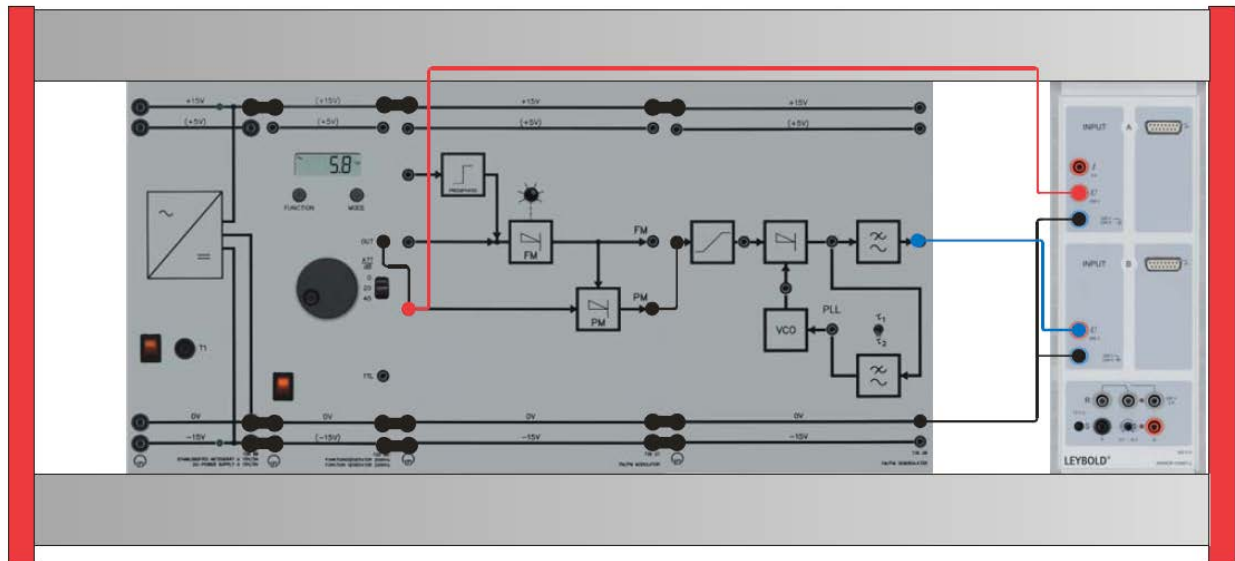
$$\Delta\Phi = \frac{\Delta X}{T} = \frac{\Delta X}{50\mu s} \cdot 360^\circ$$

Part Six: The PM Spectrum

- Measure the spectrum at the PM modulator output with channel B of the Sensor-CASSY2.
- Load the CASSY Lab 2 example PM_FFT.labx.
- Start the measurement by pressing *F9*.
- Set the carrier frequency to 20.0 kHz with the potentiometer.
- Connect the function generator to the PM modulator input.
- Set the function generator to a sinusoidal modulating signal $s_M(t)$ with $A_M = 2 V_{pp}$ and $f_M = 300$ Hz.
- Sketch the graph of the PM spectrum.
- Interpret the result.
- Repeat the measurement of the PM spectrum for a modulating signal $A_M = 2 V_{pp}$ and $f_M = 200$ Hz.

Part Seven: PM demodulation for loop filter τ_2

Experiment set-up: Connect the components as shown.



- Set the toggle switch of the PM demodulator to τ_2 .
- Load the CASSY Lab 2 example PM_TDem.labx
- Start the measurement by pressing F9.
- Interpret your results.

Part Eight: PM demodulation for loop filter τ_1

- Set the toggle switch of the PM demodulator to τ_1 .
- Repeat the experiment in Part seven

Questions

Q.1. What does preemphasis mean?

Q.2. When is deemphasis used in FM demodulation? How does it function?

Q.3. Assuming in FM that the spectrum for a harmonic signal $A_1 = 5 \text{ V}$ and $f_{M1} = 1000 \text{ Hz}$ is known.

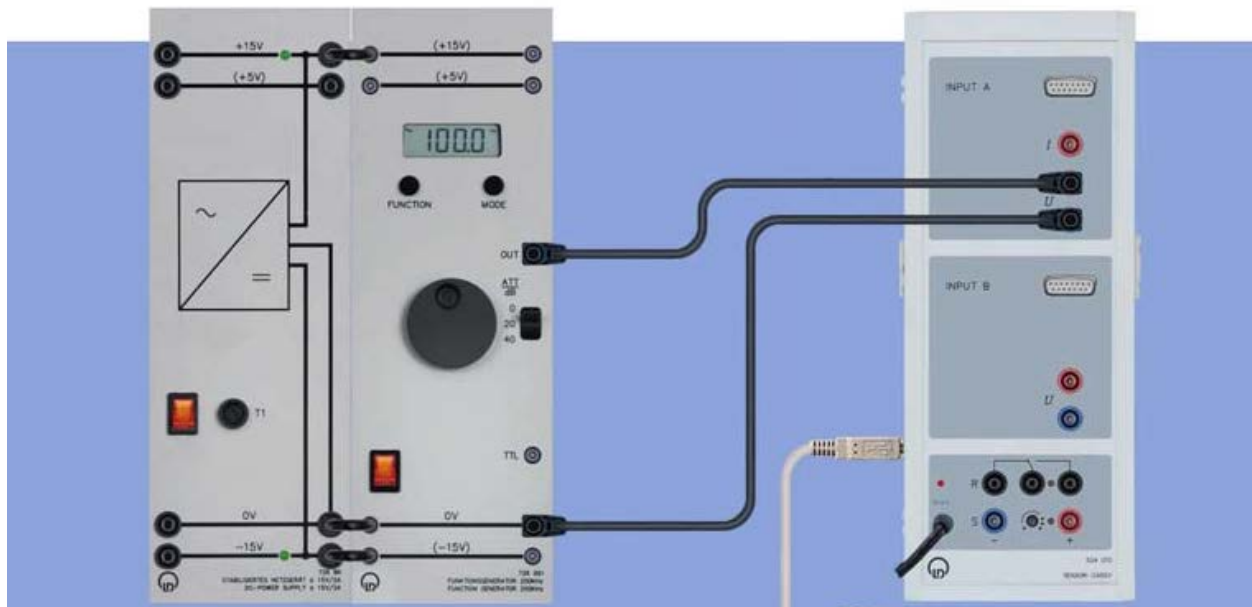
Can conclusions be drawn regarding the spectrum, which is produced for a different harmonic modulation signal, with, for example $A_1 = 3 \text{ V}$ and $f_{M1} = 100 \text{ Hz}$? Compare this with AM!

Experiment #5

Pulse Amplitude Modulation (PAM)

Part One: Time and Frequency Characteristics of pulse train

To carry out this experiment, assemble the components as shown below.



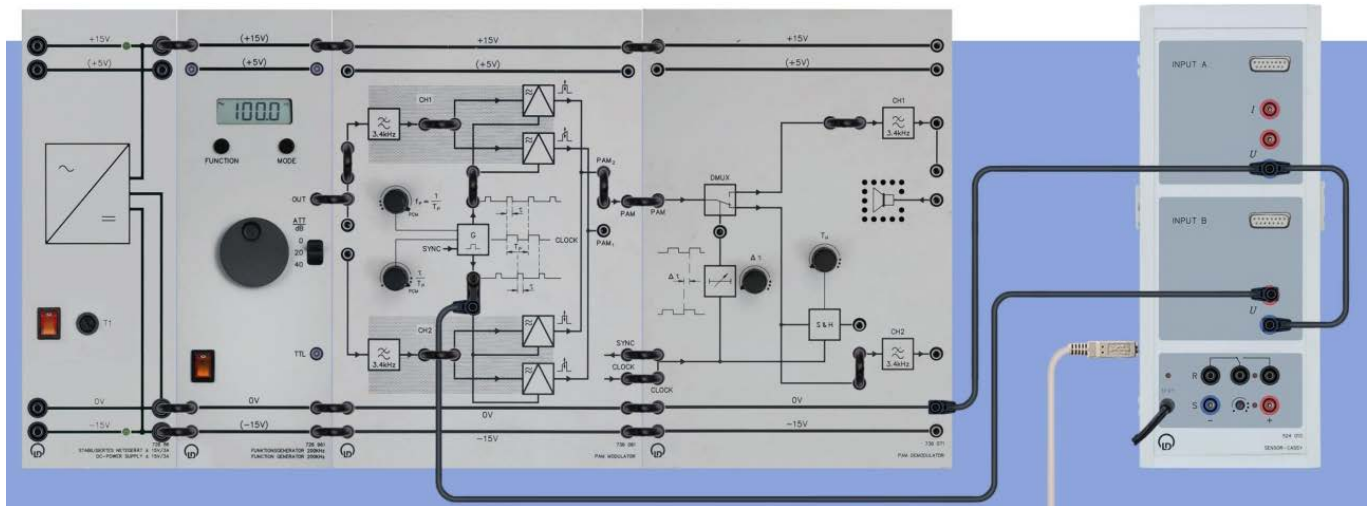
- Select a pulse train at the function generator with $f_p = 1 \text{ kHz}$, pulse amplitude $A_P = 5 \text{ V}$ (10 V_{pp}) and duty cycle $\tau_1/T_P = 1/10$.
- Load the CASSY Lab 2 example [PulseTime.labx](#).
- Start the measurement by pressing $F9$
- Determine the time characteristic of the pulse train.
- Determine the spectrum of the pulse train. Load the CASSY Lab 2 example [PulseFFT.labx](#).
- Where are in general the zero crossings in the envelope of the pulse spectrum?
- How many spectral lines / arise between two zero crossings of the envelope (syncfunction)?
- Repeat the measurement of the spectra and time characteristics for the same pulse frequency $f_p = 1 \text{ kHz}$ and pulse amplitude A_P for different duty cycles $\tau_2/T_P = 2/10$, $\tau_3/T_P = 3/10$, $\tau_4/T_P = 4/10$, $\tau_5/T_P = 5/10$ and $\tau_6/T_P = 9/10$. Proceed as described above.
- Why do pulse trains require large transmission bandwidths?

Experiment #5: Pulse Amplitude Modulation (PAM)

- What is the structure of the spectrum of a pulse train?
- What kind of characteristic curve is the envelope curve of the pulse spectrum?

Part Two: Time Characteristics of Pulse Amplitude Modulation (PAM)

To carry out this experiment, assemble the components as shown below.



Adjusting the sampling frequency

- The sampling frequency f_P is set using the FFT analyzer. For that purpose set the PAM modulator:
 - Controller for duty cycle $\tau/T_P \rightarrow \text{PCM}$
 - Controller for sampling frequency $f_P \rightarrow \dots$ (max)
 - CASSY UB1 \rightarrow Clock generator G .
- Load the CASSY Lab 2 example [pulse frequency5000.labx](#).
- Start the measurement by pressing $F9$
- Now slowly adjust the pulse frequency f_P , until the spectral line of the fundamental mode appears at $f_0 = 5000 \text{ Hz}$ ($3f_0 = 15 \text{ kHz}$, etc). Don't change the sampling (pulse) frequency f_P anymore.

Time characteristic of the PAM

Measure the Input and output of the channel filter CH1.

- Function generator: Sine, 500 Hz, $A = 10 \text{ Vpp}$.

- CASSY UA1 → Input of channel filter CH1.
- CASSY UB1 → Output of channel filter CH1.
- Load the CASSY Lab 2 example [PAMTimeInOut.labx](#).
- Start the measurement by pressing *F9*.

Display the time characteristic of the PAM.

- Function generator: Sine, 500 Hz, A = 10 Vpp.
- CASSY UA1 → Input PAM Modulator channel CH1.
- CASSY UB1 → Output PAM₁.
- Load the CASSY Lab 2 example [PAMTime.labx](#).
- Start the measurement by pressing *F9*.
- Repeat the measurement at the output PAM₂.

Measure the modulating signal $s_m(t)$ and the demodulated signal $s_D(t)$ as a function of the duty cycle.

- Now: Controller for the sampling frequency $f_P \rightarrow \dots$ (max)
- Adjusting the duty cycle:
 - CASSY UB1 ☐ Clock generator *G*.
 - Load the CASSY Lab 2 example [DutyCycle.labx](#).
 - Start the measurement by pressing *F9*.
- Slowly readjust the duty cycle τ/T_P , until the display of the CASSY instrument shows $\tau/T_P = 50\%$ Eventually correct the display, for that make a right click into the instrument *Duty Cycle* and match the factor *1.1* to your special situation. For the maximum position (PCM) is true: $\tau/T_P = 50\%$
- CASSY UA1 → Input of channel filter CH1 at PAM modulator.
- CASSY UB1 → Output of channel filter CH1 at PAM demodulator.
- Load the CASSY Lab 2 example [PAMModDem.labx](#).
- Start the measurement by pressing *F9*.
- Repeat the measurement for $\tau/T_P = 30\%$ and $\tau/T_P = 10\%$
- Sketch your results.

Variants

- Measure the input- and output signal of the channel filter CH1 for different frequencies and signal forms.
- Display the PAM signal for different duty cycles.
- Investigate the function of the hold stage at the PAM demodulator (T_H). Measure the pulse width as a function of T_H .

Part Three: Spectra of Pulse amplitude modulation (PAM)

The PAM₁ spectrum as a function of the frequency of the modulating signal.

- All measurement are made for $f_P = 5000$ Hz.
- Function generator: Sine, 500 Hz, $A = 10$ Vpp.
- CASSY UA1 → Output PAM₁ at PAM modulator.
- CASSY UB1 → Output of the clock generator.
- Load the CASSY Lab 2 example [PAMFFT.labs](#).
- Start the measurement by pressing $F9$.
- Repeat the measurement for $f_M = 1$ kHz and $f_M = 2$ kHz.
- Sketch your results.

The PAM₁-Spectrum as a function of the duty cycle.

- Function generator: Sine, 1000 Hz, $A = 10$ Vpp.
- CASSY UA1 → Output PAM₁ at PAM modulator.
- CASSY UB1 → clock generator G.
- Setting of the duty cycle:
- Load the CASSY Lab 2 example [DutyCycle.labs](#).
- Start the measurement by pressing $F9$.
- Set the duty cycle to $\tau/T_P = 30\%$.
- Load the CASSY Lab 2 example [PAMFFT.labs](#).
- Start the measurement by pressing $F9$.
- Sketch your results. Mark in the spectrum the position of the suppressed carrier lines.
Compare the PAM spectra with the pulse spectra. What is the behavior of the upper side lines USL with regard to the frequency of the modulating signal f_M ? What is the behavior of the lower side lines LSL?

The PAM₂ spectrum as a function of the frequency of the modulating signal.

- All measurement are made for $f_P = 5000$ Hz. Follow the hints **Adjusting the sampling frequency**.
- Function generator: Sine, 500 Hz, $A = 10$ Vpp.
- CASSY UA1 → Output PAM₂ at PAM modulator.
- CASSY UB1 → Output of the clock generator.
- Load the CASSY Lab 2 example [PAMFFT.labs](#).
- Start the measurement by pressing *F9*.
- Repeat the measurement for $f_M = 1$ kHz and $f_M = 2$ kHz.
- Sketch your results.

Part Four: Subsampling in the Frequency Domain

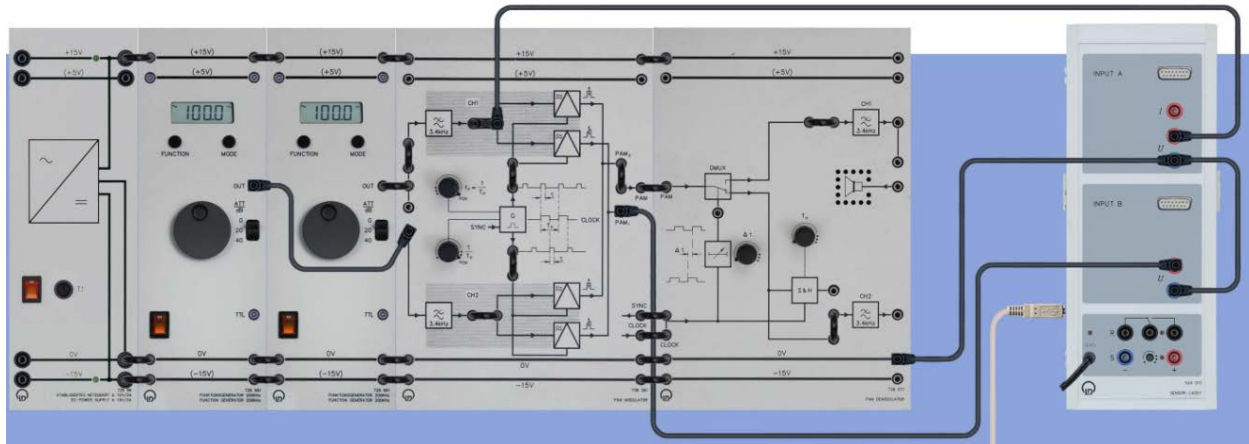
- Function generator: Sine, 3000 Hz, $A = 5$ Vpp.
- CASSY UA1 → Output PAM₁ at the PAM modulator.
- CASSY UB1 → Clock generator *G*.
- For the setting of the sampling frequency $f_P = 5000$ Hz: Load the CASSY Lab 2 example [pulse frequency5000.labs](#).
- For the setting of the duty cycle $\tau/T_P = 20$ %: Load the CASSY Lab 2 example [DutyCycle.labs](#).
- For the spectrum: Load the CASSY Lab 2 example [PAMFFT.labs](#).
- Start the measurement by pressing *F9*.
- Sketch the results.

Part Five: Subsampling in the Time Domain

- Function generator: Sine, 3000 Hz, $A = 5$ Vpp.
- CASSY UA1 → Input of the PAM modulators
- CASSY UB1 → Output PAM₁ at the PAM modulator
- Load the CASSY Lab 2 example [PAMTime.labs](#).
- Start the measurement by pressing *F9*.
- Display the modulating signal $s_M(t)$ and the demodulated signal $s_D(t)$ at subsampling.

Part Six: PAM time multiplex

To carry out this experiment, assemble the components as shown below.



Display the time characteristic of the time multiplex signal.

- Sampling frequency $f_P = 5000$ Hz, duty cycle maximal.
- Function generator 1: Triangle, $f_{M1} = 200$ Hz, $A = 5$ Vpp.
- Function generator 2: Sine, $f_{M2} = 300$ Hz, $A = 10$ Vpp.
- CASSY UA1 → Input PAM modulator channel CH1.
- CASSY UB1 → Output PAM modulator PAM1.
- Load the CASSY Lab 2 example PAMTDMInput.labx.
- Start the measurement by pressing F9.

PAM demodulator time shift $\Delta t \rightarrow$ left/middle

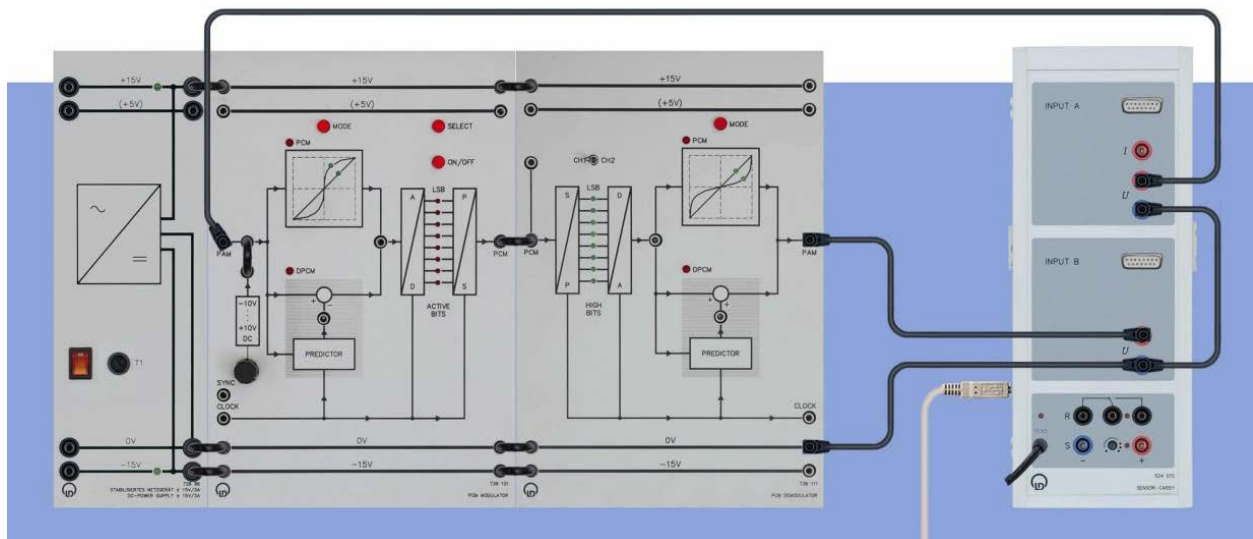
- CASSY UA1 → Output PAM demodulator channel CH1.
- CASSY UB1 → Output PAM demodulator channel CH2.
- Load the CASSY Lab 2 example PAMTDMOutput1.labx.
- Start the measurement by pressing F9.

Experiment #6

Pulse Code Modulation (PCM) – Part 1

Part One: Linear *Quantization*

To carry out this experiment, assemble the components as shown below.



- By pressing several times MODE set the PCM modulator and PCM demodulator to: PCM, linear quantization (watch the allocated LEDs).
- Activate all bits. For that press the button SELECT, until all (red) LEDs in the PCM modulator indicate ACTIVE. In the further course of the experiment: Deactivate bits from the LSB (button SELECT and ON / OFF, see below).
- At the PCM modulator: turn slowly the potentiometer for DC voltage. In the range of small inputs (< -10 V) overload of the A/D-Converter may occur. This means a sudden decrease of voltage $0\text{ V} \rightarrow -9,5\text{ V}$. It is not critical eventually start your measurement from ca. $-9,5\text{ V}$.
- Turn the potentiometer completely to the left.
- Load the CASSY Lab 2 example Quant.labx.
- Start the measurement by pressing F9.
- Turn the potentiometer to the right. This produces an input voltage at the PCM-Modulators (736 101) which is slowly rising from -10 V to $+10\text{ V}$. This input voltage is displays as

voltage UA1. The output voltage (after quantization) at the PCM Demodulator (736 111) is displayed as voltage UB1.

- After recording the quantization characteristic, stop the measurement by pressing F9.

Part Two: Non-linear *Quantization*

- Press the MODE button of the PCM modulator and PCM demodulator one time. Now both systems are in the mode non-linear quantization (watch the allocated LEDs in the 13 segment characteristic).
- Repeat the measurement in Part 1.

Part Three: Compressor / Expander characteristic

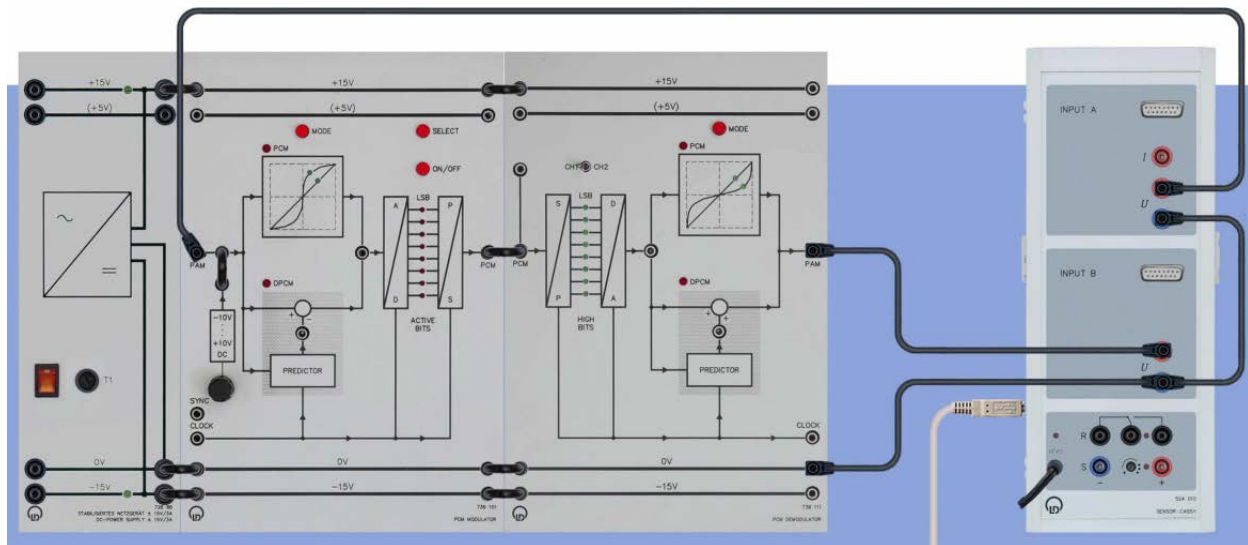
- For plotting the compressor/expander characteristic only one device is operated in the nonlinear mode, while the other device runs in the linear mode.

Part Four: Resolution of Quantizer

- Reduction of the resolution from 8 to 5 bits. For this deactivate the three least significant bits (LSB) of the PCM modulator by pressing of SELECT and ON/OFF. Repeatedly pressing SELECT leads to the position of the desired bit. ON/OFF toggles between active/inactive.
- Turn the potentiometer back to left and repeat the recording of the quantization characteristic.

Part Five: Encoding

To carry out this experiment, assemble the components as shown below.



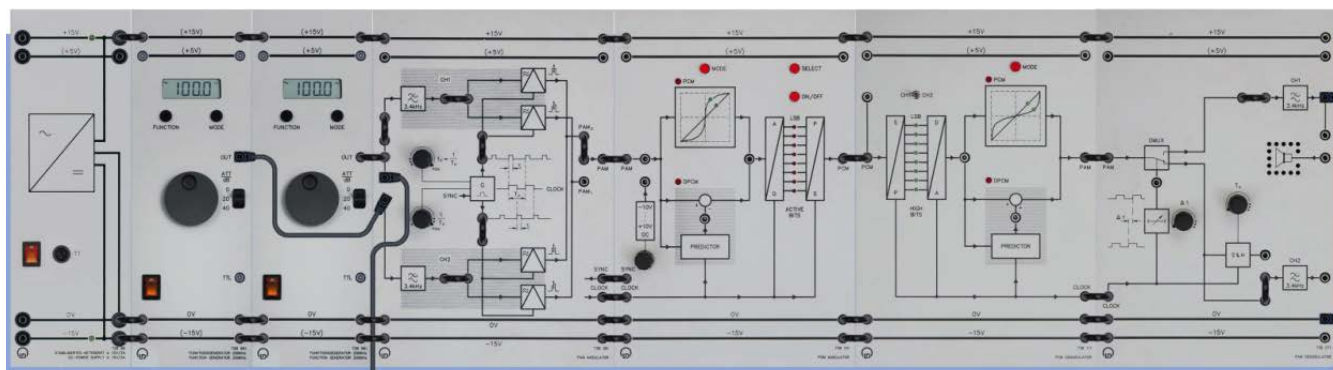
- By pressing several times MODE set the PCM modulator and PCM demodulator to: PCM, linear quantization (watch the allocated LEDs).
- Activate all bits. For that press the button SELECT, until all (red) LEDs in the PCM modulator indicate ACTIVE.
- Load the CASSY Lab 2 example Code.labx.
- Set the potentiometer to maximum left.
- Vary the DC voltage UA1 with the potentiometer according to the values in the table. Note the output voltage of the PCM demodulator UB1 and the corresponding bit pattern (green LEDs).
- Demonstrate the relationship between the formation of the serial data packets and the “high bits” display. Which of the bits is the LSB in the data packets? Which one is used for coding the polarity?

Experiment #7

Pulse Code Modulation (PCM) – Part 2

Part One: PCM Transmission

To carry out this experiment, assemble the components as shown below.



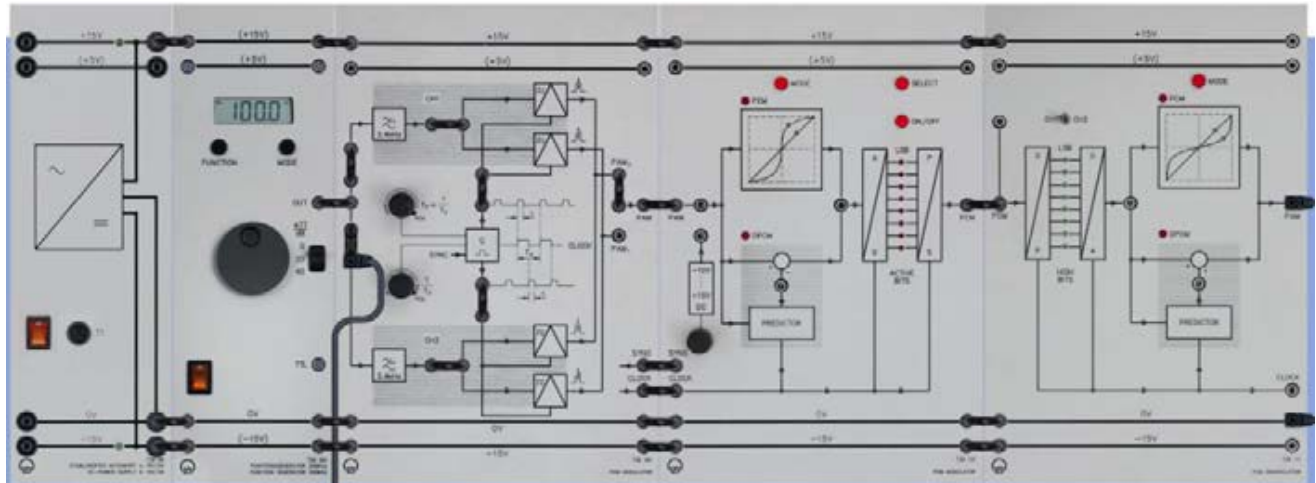
- CASSY UA1 → Input PAM Modulator CH1.
 - CASSY UB1 → Output PAM Demodulator CH1.
 - Switch on the power supply.
 - By pressing several times MODE set the PCM modulator and PCM demodulator to: PCM, linear quantization (watch the allocated LEDs).
 - Activate all bits. For that press the button SELECT, until all (red) LEDs in the PCM modulator indicate ACTIVE.
 - PAM Modulator
 - Controller for the duty cycle $\tau/T_p \rightarrow \text{PCM}$
 - Controller for the sampling frequency $f_P \rightarrow \text{PCM}$
 - Function generator 1: Sine, $f_{M1} = 300 \text{ Hz}$, $A = 10 \text{ Vpp}$.
 - Function generator 2: Triangle, $f_{M2} = 200 \text{ Hz}$, $A = 5 \text{ Vpp}$.
 - PAM Demodulator
 - Time shift $\Delta t \rightarrow \text{links}$
1. Part of the experiment
- Load the CASSY Lab 2 example PCMTTrans.labx.
 - Start the measurement by pressing F9.

2. Part of the experiment (change CASSY-connections)

- CASSY UA1 → Input PAM Modulator CH2.
- CASSY UB1 → Output PAM Demodulator CH2.

Part Two: Quantization Noise

To carry out this experiment, assemble the components as shown below.



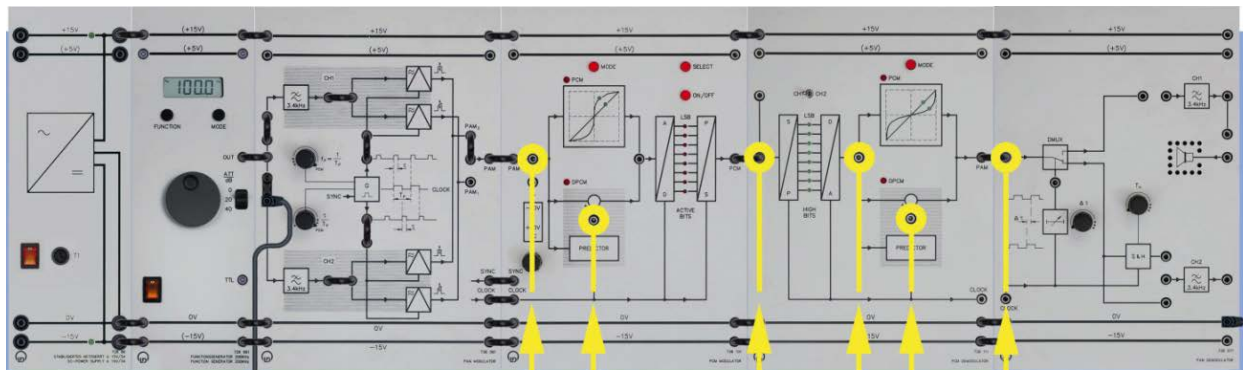
- CASSY UA1 → Input PAM Modulator CH2.
- CASSY UB1 → Output PCM Demodulator.
- Connect both channels (CH1 and CH2) of the PAM Modulator (736 061) with the function generator. This avoids time gaps at the output of the PCM demodulator.
- Function generator: Triangle, 30 Hz, 12 Vpp
- By pressing several times MODE set the PCM modulator and PCM demodulator to: PCM, linear quantization (watch the allocated LEDs).
- Activate all bits. For that press the button SELECT, until all (red) LEDs in the PCM modulator indicate ACTIVE.
- Load the CASSY Lab 2 example QNoise.labx.
- Start the measurement by pressing F9.
- Sketch the measurement and give an interpretation.
- Repeat the experiment for a resolution of 5 bit.
- Repeat the experiment for a resolution of 5 bit and a frequency of the triangle signal $f_M=300$ Hz.

Part Three: Quantization Noise Variations

- Repeat the same procedure of Part 2 but use a sinusoidal modulating signal. This results in a more complicated structure of the quantization noise.
- Repeat the same procedure of Part 2 but use a non-linear quantization.

Part Four: Difference Pulse Code Modulation (DPCM)

To carry out this experiment, assemble the components as shown below.



- Switch on the power supply. Connect both channels (CH1 and CH2) of the PAM Modulator (736 061) with the function generator. This avoids time gaps at the output of the PCM demodulator.
- Function generator: Triangle, 30 Hz, 12 Vpp
- By pressing several times MODE set the PCM modulator and PCM demodulator to: PCM, linear quantization (watch the allocated LEDs).
- Activate all bits. For that press the button SELECT, until all (red) LEDs in the PCM modulator indicate ACTIVE.
- DPCM is a redundancy reducing method. In the predictor the difference to the previous value is transmitted. At the start of the transmission it is important that the predictors in the PCM modulator and in the PCM demodulator start from the same prediction value. During switch-on the prediction value is initialized with 0. But since the two systems cannot be switched on simultaneously, the following switch-on sequence has to be adhered to:
 1. Connect the PAM input of the PCM modulator to 0 V.
 2. Switch the PCM modulator to DPCM.
 3. Switch the PCM demodulator to the DPCM mode.
 4. Disconnect the PAM input of the PCM modulator from 0 V.
 5. Drop the amplitude of the modulation signal to 0 V (on the function generator).
 6. Feed the modulation signal into the PAM input of the PCM modulator and reset to the
 7. desired amplitude

- Step 5 has to be performed every time before selecting the ACTIVE BITS. Afterwards the signal amplitude can be enhanced again.

Settings on the PAM system	
Sampling frequency	$f_P \rightarrow \text{PCM}$
duty cycle	$\tau/T \rightarrow \text{PCM}$
Time delay of the Demultiplexer	$\Delta t \rightarrow \text{min}$

Settings on the PCM system	
PCM-Modulator	DPCM
PCM-Demodulator	DPCM
ACTIVE BITS	all on
Channel selection	CH1

- Load the CASSY Lab 2 example DPCM.labx.
- Start the measurement by pressing F9.
- Connect the channel UA1 of the CASSY with the input signal of the PAM modulator. With channel UB1 of the CASSY record successively the following signals:
 - PAM input
 - Predictor of the DPCM modulator
 - Output of the DPCM modulator
 - Input of the DPCM demodulator
 - Predictor of the DPCM demodulator
 - PAM output of the DPCM demodulator
- Sketch your measurements and give an interpretation.
- Deactivate the following bits

LSB			MSB				
ON	ON	ON	--	--	--	--	ON

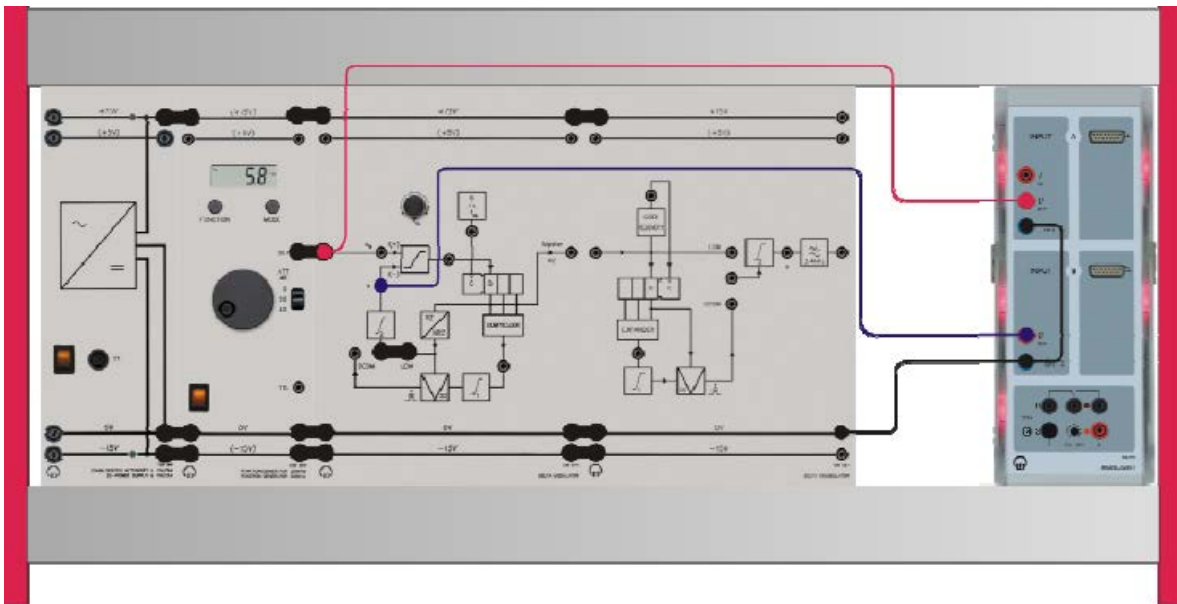
- Repeat the experiment for a resolution of 4 bit.

Experiment #8

Delta Modulation – Part 1

Part One: Prediction signals in Linear delta modulation (LDM)

To carry out this experiment, assemble the components as shown below.



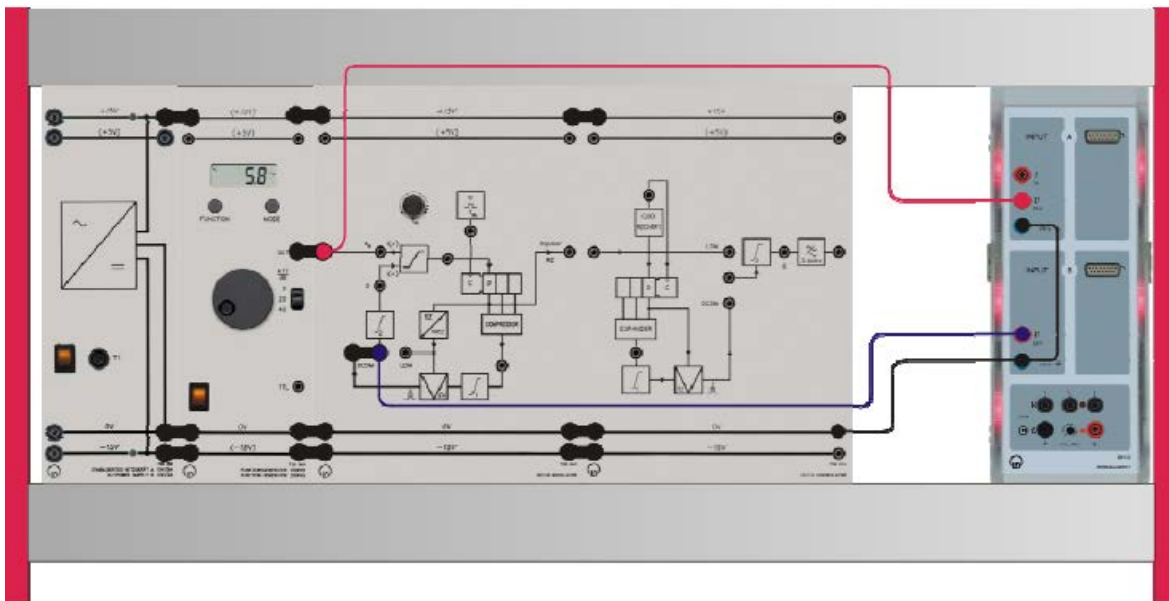
- Settings on the DM system / function generator
 - Clock frequency f_{CL} 100 kHz (max.)
 - Modulating signal s_M sine, 100 Hz, 1 Vpp, ATT = 0 dB
 - Delta modulator **LDM**, set the bridging plug
 - Delta demodulator ----
- Connect the Sensor-CASSY 2 inputs:
 - Input A $\rightarrow s_M$ modulating signal
 - Input B $\rightarrow X$ prediction signal at the output of the 2nd integrator
- Load the CASSY Lab 2 example Prediction.labs.
- Start the measurement by pressing F9.
- Jointly display on the monitor $s_M(t)$ and the prediction signal $X(t)$.
- Reduce the clock frequency gradually to $f_{CL} = 10$ kHz (min.)
- Repeat the measurement.

Part Two: Prediction signals in Digital Controlled Delta Modulation (DCDM)

- For the same setup of part one
- Change the settings on the DM system / function generator
 - Clock frequency f_{CL} 100 kHz (max.)
 - Modulating signal s_M sine, 100 Hz, 1 V_{pp}, ATT = 0 dB
 - Delta modulator **DCDM**, set the bridging plug
 - Delta demodulator ----
- Repeat the measurements as in part one.

Part Three: Pulse height in LDM

To carry out this experiment, assemble the components as shown below.



- Settings on the DM system / function generator
 - Clock frequency f_{CL} 50 kHz
 - Modulating signal $s_M(t)$ sine, 100 Hz, 7 Vpp, ATT = 0 dB
 - Delta modulator LDM, set the bridging plug
 - Delta demodulator ----
- Connect the Sensor-CASSY 2 inputs:
 - Input A $\rightarrow s_M$ modulating signal
 - Input B \rightarrow LDM signal at the output of the PAM modulator
- Load the CASSY Lab 2 example PulseAmplitude.labs.

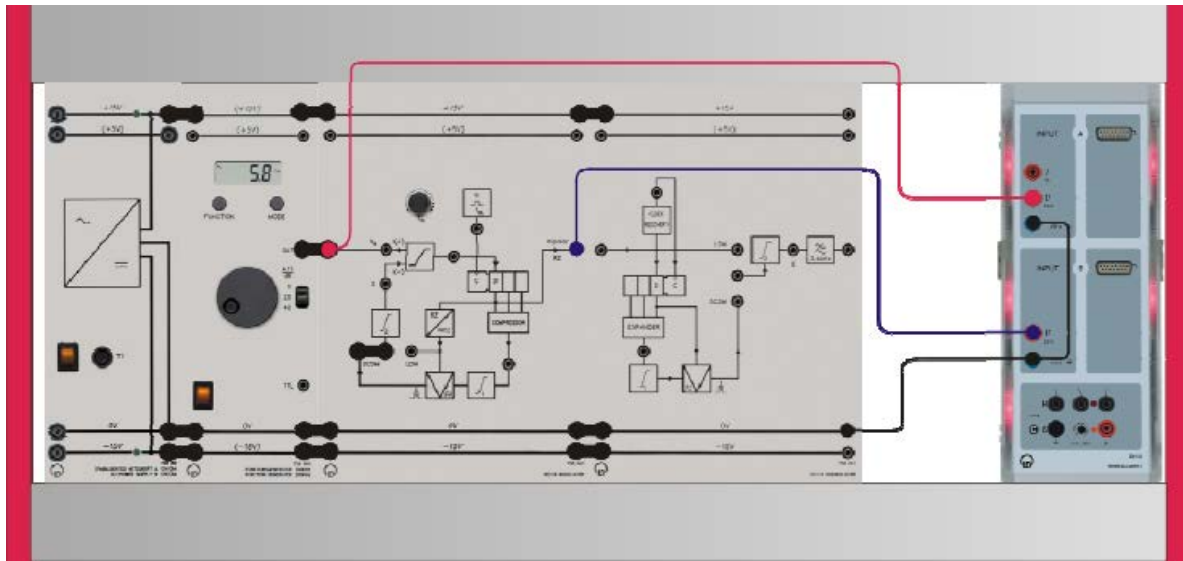
- Start the measurement by pressing F9.
- Jointly display on the monitor $s_M(t)$ and the LDM signal.
- Set the clock frequency to approximately $f_{CL} \approx 30 \dots 50$ kHz, by setting the potentiometer into the middle position. Then, the pulse signals show the smallest eye aperture (smallest pulse heights in the waists).

Part Four: Pulse height in DCDM

- For the same setup of part three
- Change the settings on the DM system / function generator
 - Clock frequency f_{CL} 50 kHz
 - Modulating signal $s_M(t)$ sine, 100 Hz, 7 Vpp, ATT = 0 dB
 - Delta modulator DCDM, set the bridging plug
 - Delta demodulator ----
- Repeat the measurements as in part three.

Part Five: Output signals of the LDM modulator

To carry out this experiment, assemble the components as shown below.



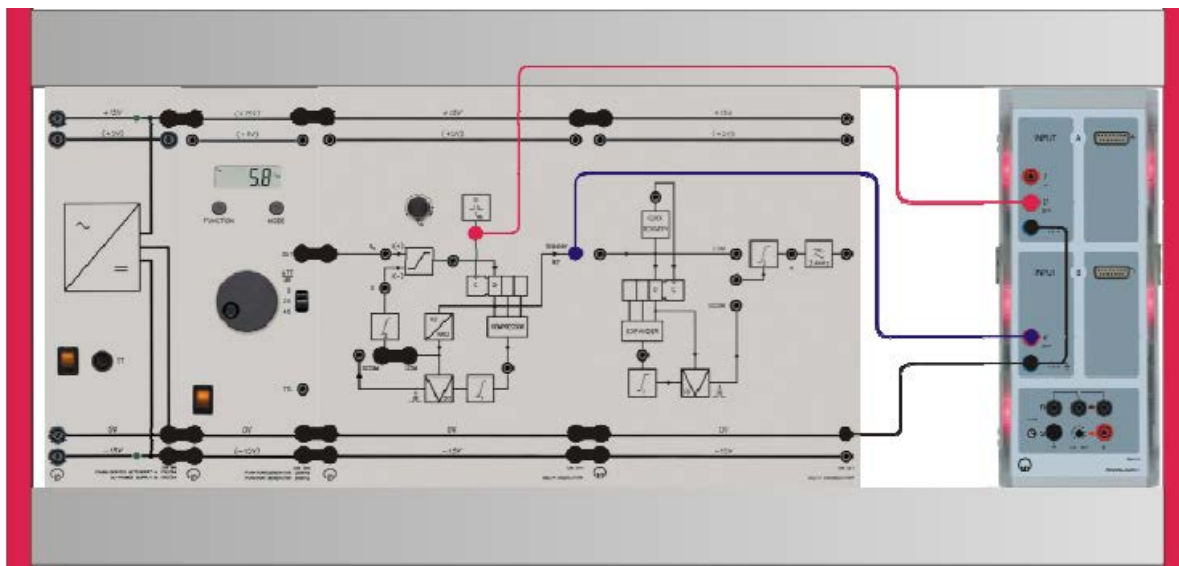
- Connect the Sensor-CASSY 2 inputs:
 - Input A → s_M modulating signal, function generator
 - Input B → DM signal at the output of DM modulator (bipolar, RZ)
- Load the CASSY Lab 2 example DMCode.labs.
- Start the measurement by pressing F9.
- Jointly display on the monitor $s_M(t)$ and the DM signal.
- Load the CASSY Lab 2 example LDM_10kHz.labs (or DCDM_10kHz.labs)
- Start the measurement by pressing F9.
- Display $s_M(t)$ and the bipolar output signal of the delta modulator on the monitor.

Part Six: Output signals of the DCDM modulator

- For the same setup of part five
- Change the settings on the DM system / function generator
 - Clock frequency f_{CL} 30 kHz (approx.)
 - Modulating signal $s_M(t)$ sine, 100 Hz, 4 Vpp, ATT = 0 dB
 - Delta modulator DCDM, set the bridging plug
 - Delta demodulator ----
- Repeat the measurements as in part five.

Part Seven: Clock and DM signals in RZ format

To carry out this experiment, assemble the components as shown below.



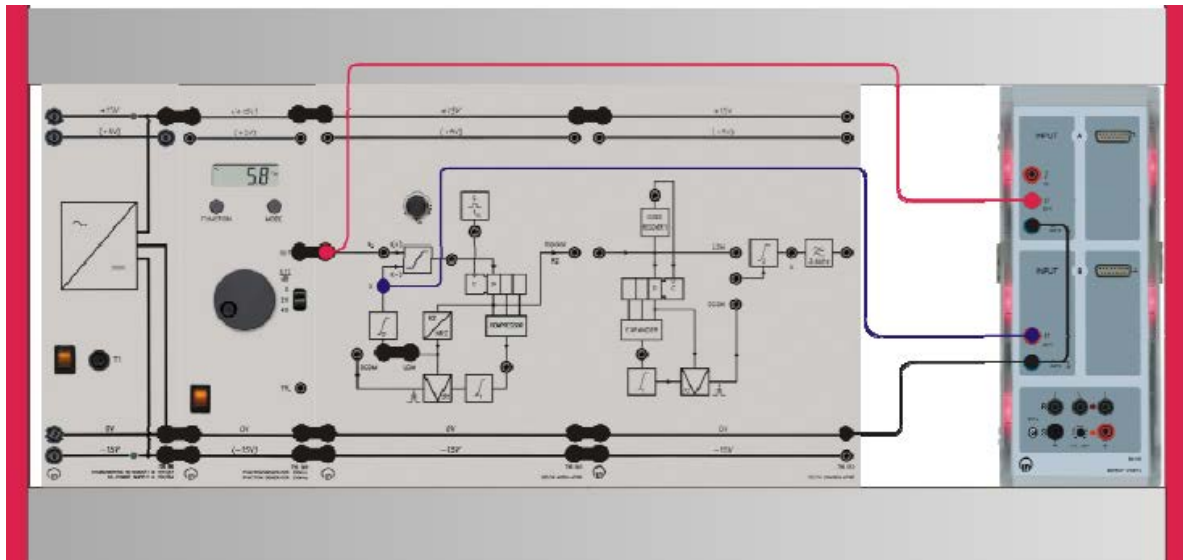
- Settings on the DM system / function generator
 - Clock frequency f_{CL} 10 kHz (min.)
 - Modulating signal $s_M(t)$ sine, 200 Hz, 2 Vpp, ATT = 0 dB
 - Delta modulator LDM, set the bridging plug
 - Delta demodulator ----
- The type of DM signals is not important in this experiment. Thus no distinction is made between LDM and DCDM mode. Consequently the experiments are carried out in LDM mode only.
- Connect the Sensor-CASSY 2 inputs:
 - Input A → Clock generator (G), f_{CL}
 - Input B → DM output (bipolar, RZ)
- Load the CASSY Lab 2 example Clock.labs.
- Start the measurement by pressing F9.
- Display the clock signal and the bipolar output signal of the delta modulator.

Part Eight: Clock and DM signals in NRZ format

- For the same setup of part seven
- Connect the Sensor-CASSY 2 inputs:
 - Input A → Clock generator (G), f_{CL}
 - Input B → LDM output at the RZ/NRZ-converter
- Display the LDM signal in NRZ format and the bipolar output signal of the delta modulator on the monitor.

Part Nine: Granular noise in LDM

To carry out this experiment, assemble the components as shown below.



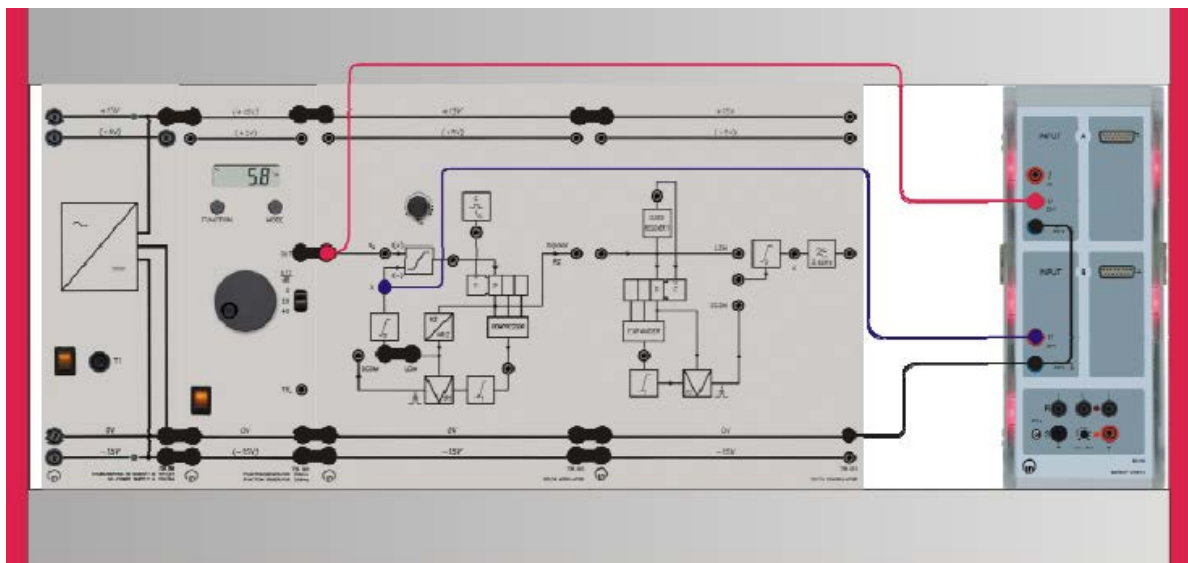
- Settings on the DM system / function generator
 - Clock frequency f_{CL} 10 kHz (min.)
 - Modulating signal $s_M(t)$ square 50%, 200 Hz, 2 Vpp, ATT = 0 dB
 - Delta modulator LDM, set the bridging plug
 - Delta demodulator ----
- Connect the Sensor-CASSY 2 inputs:
 - Input A → modulating signal s_M
 - Input B → prediction signal X
- Load the CASSY Lab 2 example GranularNoise.labs.
- Start the measurement by pressing F9.
- Display the modulating signal $s_M(t)$ and the prediction signal $X(t)$ on the monitor.
- Repeat the experiment for $f_{CL} = 30$ kHz and $f_{CL} = 100$ kHz.
- Remove the bridging plug between the function generator output and the input of the delta modulator.
- Connect the input of the delta modulator to ground.
- Repeat the measurements for $f_{CL} = 10$ kHz, $f_{CL} = 100$ kHz.

Part Ten: Granular noise in DCDM

- For the same setup of part nine
- Settings on the DM system / function generator
 - Clock frequency f_{CL} 10 kHz (min.)
 - Modulating signal $s_M(t)$ square 50%, 200 Hz, 2 Vpp, ATT = 0 dB
 - Delta modulator DCDM, set the bridging plug
 - Delta demodulator ----
- Repeat the measurements as in part nine.

Part Eleven: Slope overload in LDM

To carry out this experiment, assemble the components as shown below.



- Settings on the DM system / function generator
 - Clock frequency f_{CL} 100 kHz
 - Modulating signal $s_M(t)$ sine, 100 Hz, 7 Vpp, ATT = 0 dB
 - Delta modulator LDM, set the bridging plug
 - Delta demodulator ----
- Connect the Sensor-CASSY 2 inputs:
 - Input A → modulating signal s_M
 - Input B → prediction signal X
- Load the CASSY Lab 2 example SlopeOver.labs.
- Start the measurement by pressing F9.
- Display the modulating signal $s_M(t)$ and the prediction signal $X(t)$ on the monitor.

- Set the function generator to: square-wave, 50%, 100 Hz, 4 Vpp.
- Repeat the measurement
- Increase the frequency of the square-wave signal to 300 Hz.
- Repeat the measurement

Part Twelve: Slope overload in DCDM

- For the same setup of part nine
- Settings on the DM system / function generator
 - Clock frequency f_{CL} 100 kHz
 - Modulating signal $s_M(t)$ sine, 100 Hz, 7 Vpp, ATT = 0 dB
 - Delta modulator DCDM, set the bridging plug
 - Delta demodulator ----
- Repeat the measurements as in part eleven.

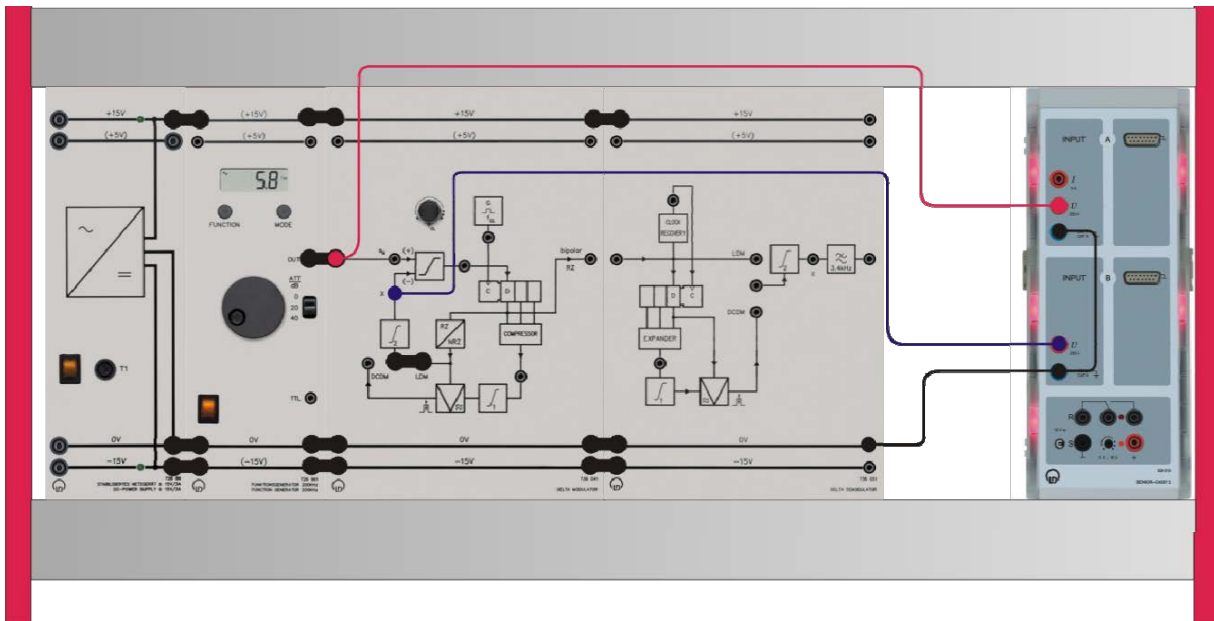
Experiment #9

Delta Modulation – Part 2

Part One: Dynamic of LDM and DCDM

A) Dynamic of LDM

To carry out this experiment, assemble the components as shown below.



- Settings on the DM system / function generator
 - Clock frequency f_{CL} 100 kHz (max.)
 - Modulating signal s_M sine, 100 Hz, ATT = 0 dB
 - Delta modulator **LDM**, set the bridging plug
 - Delta demodulator ----
- Connect the Sensor-CASSY 2 inputs:
 - Input A $\rightarrow s_M$ modulating signal
 - Input B $\rightarrow X$ prediction signal at the output of the 2nd integrator
- Load the CASSY Lab 2 example SlopeOver.labs and start the measurement.
- Display the prediction signal $X(t)$ on the monitor.

- Vary the amplitude A_M of the modulating signal s_M , until X demonstrates the beginnings of slope overload (recognizable by the exponential distortion). This value is denoted as A_{Mmax} .
- Calculate the dynamic D.

$$D = 20 \log \left(\frac{A_{Mmax}}{A_{Mmin}} \right) \text{ dB}$$

For A_{Mmin} use the value for granular noise (approx. 20 mVpp).

- Repeat the measurements for the frequency of the s_M signal of 200, 300, 400, 500, 1000, 2000, 2500, 3000 Hz.

B) Dynamic of DCDM

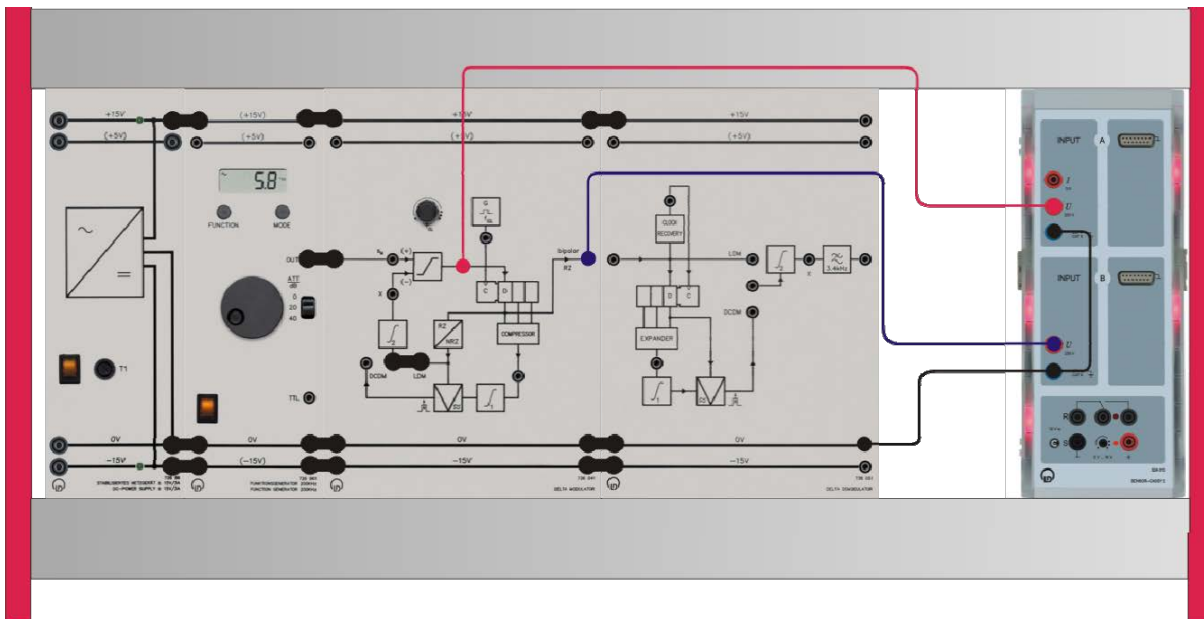
- Repeat the measurements of **part one A** for DCDM.
- Compare your results with **part one A**.

Part Two: Coding and companding

A) LDM: Coding in the DM modulator

In delta modulation the coding of the differential values is performed by an edge triggered D-flip flop, functioning as a sample and hold circuit. The differential values stem from the comparison of the modulating signal and the prediction signal. With each clock pulse the bit present at the D-input is shifted to the output and stored temporarily until the arrival of the next clock pulse.

To carry out this experiment, assemble the components as shown below.

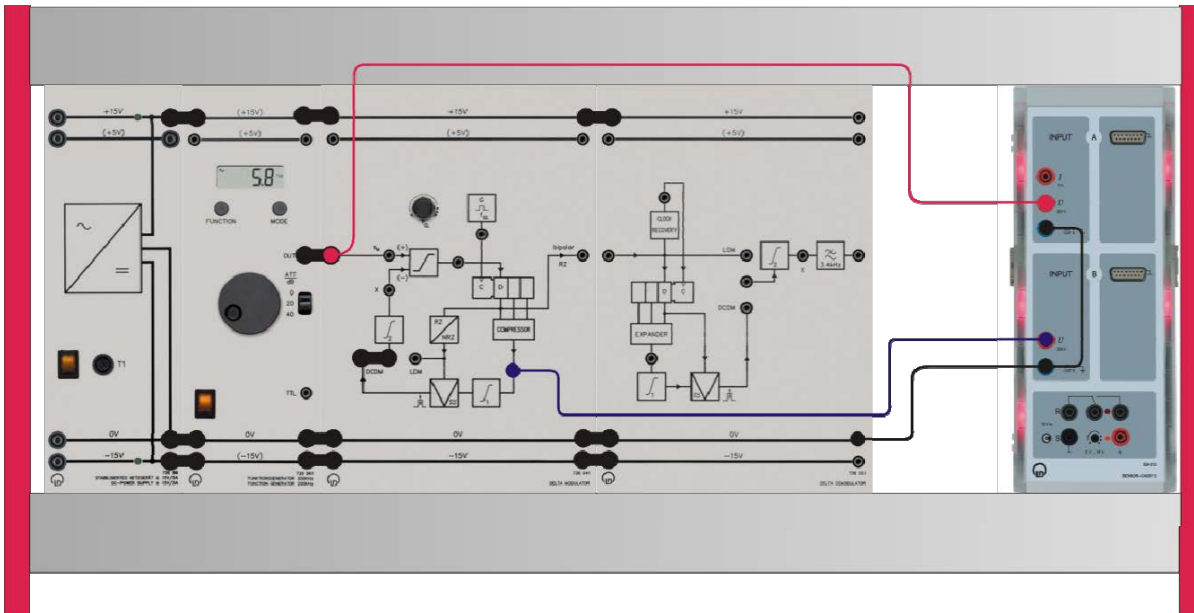


- Settings on the DM system / function generator
 - Clock frequency f_{CL} 10 kHz (max.)
 - Modulating signal s_M sine, 100 Hz, 4 Vpp, ATT = 0 dB
 - Delta modulator **LDM**, set the bridging plug
 - Delta demodulator ----
- Connect the Sensor-CASSY 2 inputs:
 - Input A → Comparator out (input D of the D-FF)
 - Input B → DM output (bipolar/RZ)
- Load the CASSY Lab 2 example LDM_Code.labs and start the measurement.
- Display the DM signal (bipolar, RZ) and the signal at the comparator output on the monitor.

B) DCDM: Companding in the DM modulator

In the case of DCDM the companding principle is derived from the 0/1-distribution of the bits at the shift register.

To carry out this experiment, assemble the components as shown below.

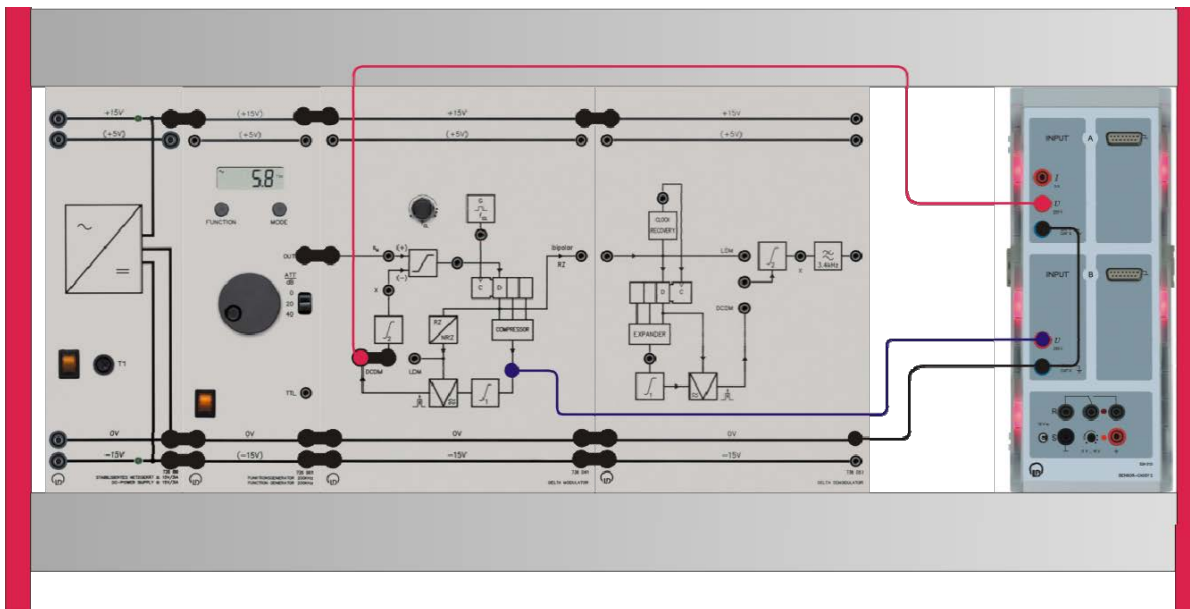


- Settings on the DM system / function generator
 - Clock frequency f_{CL} 50 kHz (approx. middle position)
 - Modulating signal s_M sine, 100 Hz, 15 Vpp, ATT = 0 dB

- Delta modulator **DCDM**, set the bridging plug
- Delta demodulator ----
- Connect the Sensor-CASSY 2 inputs:
 - Input A → prediction signal $X(t)$
 - Input B → COMPRESSOR
- Load the CASSY Lab 2 example DCDM_Compond.labs and start the measurement.
- Display the prediction signal $X(t)$ and the signal at the output of the compressor on the monitor.

C) DCDM: Compressor & DM signals

To carry out this experiment, assemble the components as shown below.

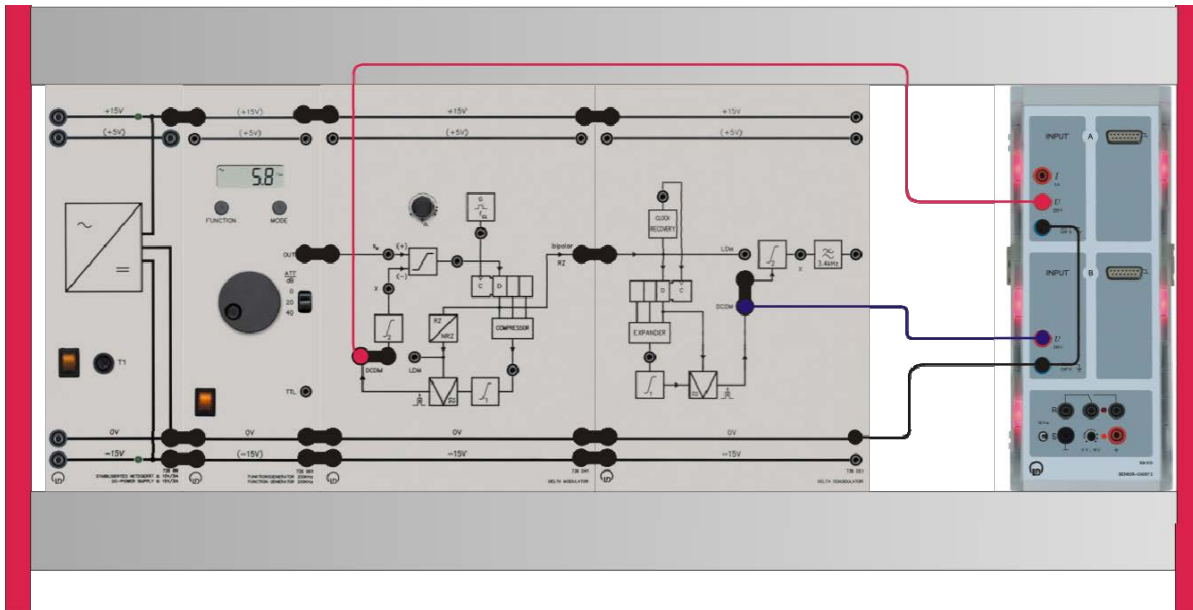


- Settings on the DM system / function generator
 - Clock frequency f_{CL} 50 kHz (approx. middle position)
 - Modulating signal s_M sine, 100 Hz, 15 Vpp, ATT = 0 dB
 - Delta modulator **DCDM**, set the bridging plug
 - Delta demodulator ----
- Connect the Sensor-CASSY 2 inputs:
 - Input A → DCDM
 - Input B → COMPRESSOR
- Load the CASSY Lab 2 example DCDM_Compond.labs and start the measurement.

- Display the signals at the outputs of the compressor and the PAM modulator (DCDM output).

D) DCDM: Recovery of the predicted PAM signals in DM modulator and DM demodulator

To carry out this experiment, assemble the components as shown below.

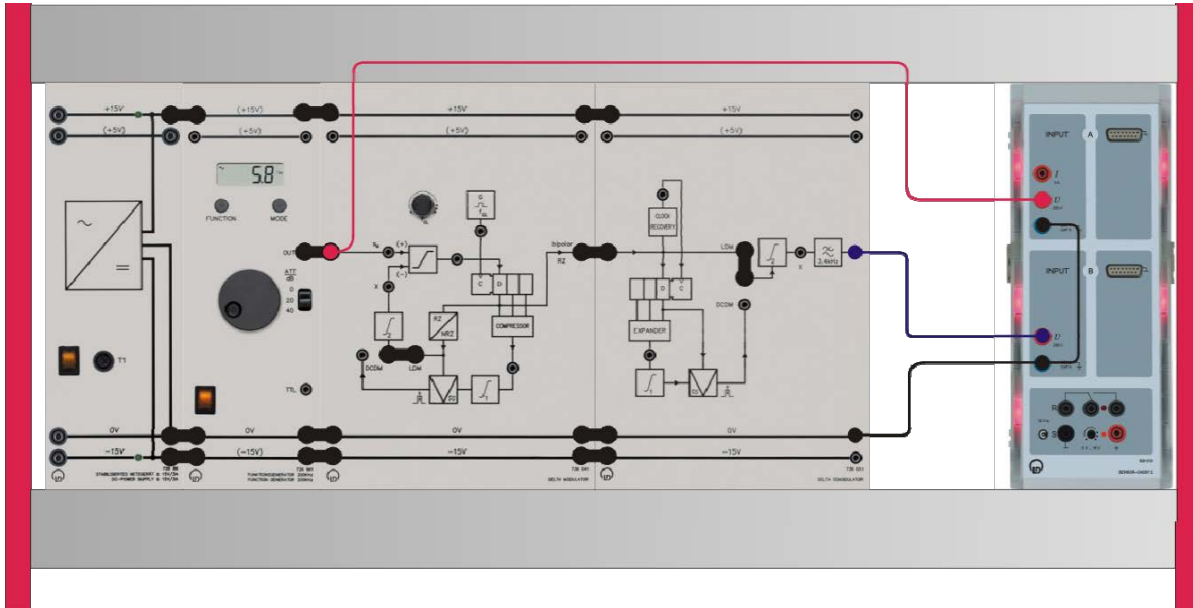


- Settings on the DM system / function generator
 - Clock frequency f_{CL} 50 kHz (approx. middle position)
 - Modulating signal s_M sine, 100 Hz, 15 Vpp, ATT = 0 dB
 - Delta modulator **DCDM**, set the bridging plug
 - **Delta demodulator DCDM**, set the bridging plug
- Connect the Sensor-CASSY 2 inputs:
 - Input A → DCDM (DM modulator)
 - Input B → DCDM (DM demodulator)
- Load the CASSY Lab 2 example DCDM_Compand.labs and start the measurement.
- Display the PAM signals (DCDM) in the delta modulator and delta demodulator on the monitor.

Part Three: Demodulation

A) LDM demodulation

To carry out this experiment, assemble the components as shown below.



- Settings on the DM system / function generator
 - Clock frequency f_{CL} 100 kHz (max.)
 - Modulating signal s_M triangular, 300 Hz, 4 Vpp, ATT = 0 dB
 - Delta modulator **LDM**, set the bridging plug
 - Delta demodulator **LDM**, set the bridging plug
- Connect the Sensor-CASSY 2 inputs:
 - Input A → modulating signal s_M at the input of the DM modulator
 - Input B → demodulated signal s_D at the output of the DM demodulator
- Load the CASSY Lab 2 example DM_Dem.labs and start the measurement.
- Display the modulating signal $s_M(t)$ and the demodulated signal $s_D(t)$ on the monitor.
- Switch the function generator to square wave 10%, see above. Demodulation distortion can be displayed better with this signal.
- Display $s_M(t)$ and $s_D(t)$ on the monitor again.

B) DCDM demodulation

- Settings on the DM system / function generator\
 - Clock frequency f_{CL} 100 kHz (max.)
 - Modulating signal s_M square 10%, 100 Hz, 4 Vpp, ATT = 0 dB

Experiment #9: Delta Modulation – Part 2

- Delta modulator **LDM**, set the bridging plug
- Delta demodulator **LDM**, set the bridging plug
- Switch the delta modulator and demodulator to DCDM operation by reconnecting the bridging plugs at DM modulator and DM demodulator.
- Display $s_M(t)$ and $s_D(t)$ on the monitor.

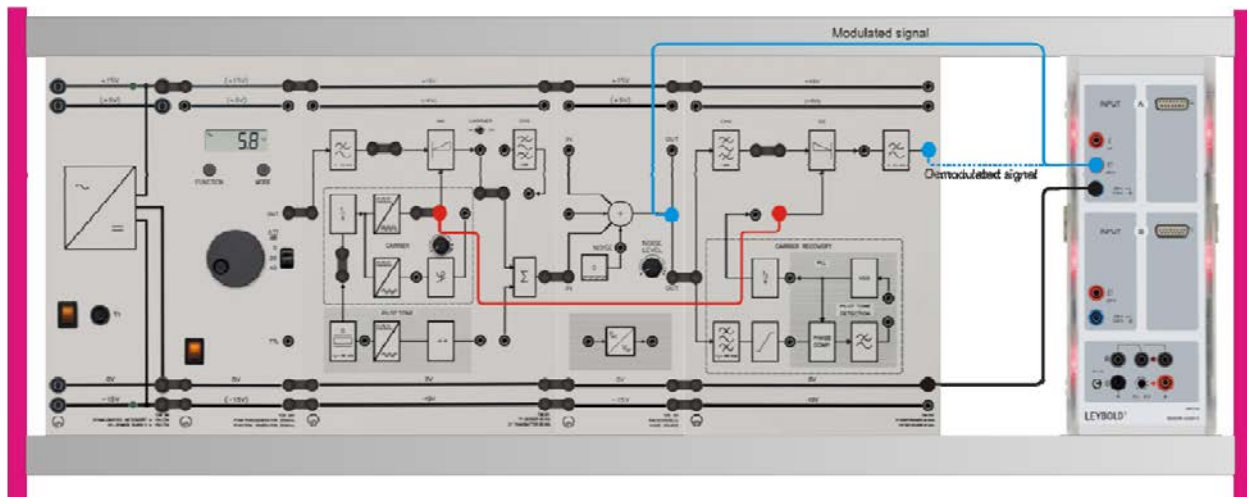
Experiment #10

Noise in Amplitude Modulation

Part One: Noise in DSB-SC Modulation

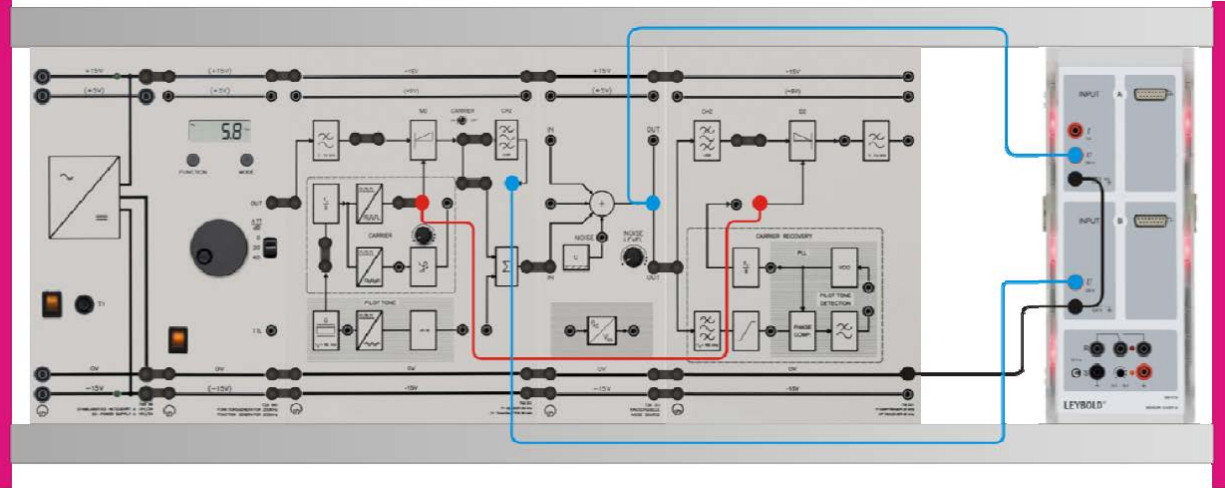
a) Measurements in Amplitude Modulation

To carry out this experiment, assemble the components as shown below.



- Set the CARRIER switch to OFF. *The carrier is transmitted via a separate channel. If the pilot tone were transmitted in the transmission channel, then this would also be interfered with by the noise. This would cause synchronization errors in the receiver. This kind of interference should not be investigated here, as otherwise too much attention would have to be devoted to special demodulation methods. The theoretical values most frequently specified are also referred to in the special case dealt with here.*
- Set a sinusoidal signal with 5 V_{pp} and $f = 2$ kHz on the function generator.
- Adjust the controller "NOISE LEVEL" to the far left limit.
- Connect the Sensor-CASSY 2 inputs:
 - Input A → the modulated signal (tapped at the "IN" socket of the noise source).
 - Input B → the demodulated signal (tapped at the output of the CF receiver).
- Display the modulated and demodulated signals on the monitor
- Determine the power P_2 of the demodulated signal.
- To demonstrate the relationship of the maximum amplitudes in DSB-SC and USSB, connect the components as shown in the next experiment set-up.

Experiment #10: Noise in Amplitude Modulation

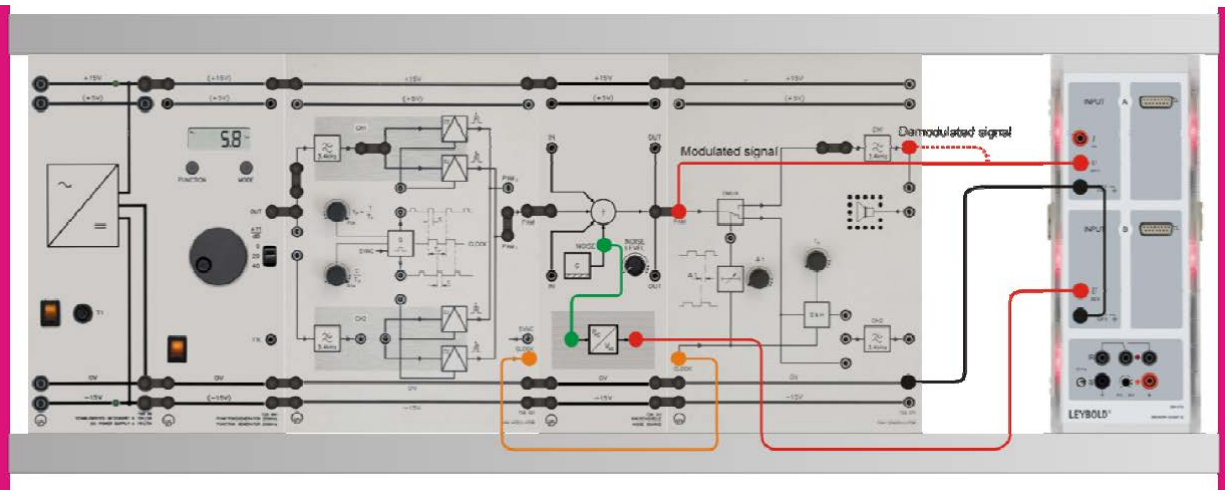


- Connect the Sensor-CASSY 2 inputs:
 - Input A → the DSB-SC modulated signal (tapped at the "IN" socket of the noise source).
 - Input B → the USSB modulated signal.
- Display the DSB-SC and USSB on the monitor.
- Determine the power P_1 of the DSB-SC modulated signal.

$$P_1 = 2 \times \text{power for each side band} = 2 \times \left(\frac{A_{Max-USSB}}{\sqrt{2}} \right) = 2 \times \left(\frac{1}{\sqrt{2}} \times \frac{A_{Max-(DSB-SC)}}{2} \right)$$

b) Modulated DSB-SC signal with super-positioned interference

To carry out this experiment, assemble the components as shown below.



- Connect the Sensor-CASSY 2 inputs:
 - Input A → the modulated signal (tapped at the "IN" socket of the noise source).
 - Input B → the output of the P_{AC}/V_{DC} converter.

Experiment #10: Noise in Amplitude Modulation

- Display the modulated signal and the output of the P_{AC}/V_{DC} converter on the monitor
- Feed a noise power density S_1 of approx. $40 \cdot 10^{-9} \text{ V}^2/\text{Hz}$ into the transmission channel (this corresponds approximately to an output DC voltage of $U_{A1} = 1.25 \text{ V}$ at the P_{AC}/V_{DC} converter). The transfer function of the P_{AC}/V_{DC} converter is

$$S_E = U_A \times 32 \times 10^{-9} \text{ V/Hz}$$

Here S_E is the noise power density at the input of the converter and U_A is the output voltage of the converter.

- From this calculate the noise power N_1 in the transmission band occupied by the DSB-SC signal.

$$N_1 = S_1 \times BW$$

Where BW is the occupied Bandwidth

- Calculate the Signal-to-noise (SNR_1) ratio at the output of the transmission line

$$SNR_1 = \frac{P_1}{N_1}$$

- Change the connection of the Sensor-CASSY 2 inputs to display:
 - Input A → the modulated signal (tapped at the "IN" socket of the noise source).
 - Input B → the demodulated signal (tapped at the output of the CF receiver).
- Display the modulated and demodulated signals on the monitor. Did you notice the noise affect?
- In order to be able to investigate only quantitative effects, disconnect the CF transmitter (DSB-SC output) from the noise source so that only the noise reaches the CF receiver.
- Display the tapped at the "IN" socket of the noise source (was connected to the output of the DSB-SC modulator) and demodulated signals on the monitor.
- Apply the same procedure used to calculate the noise power N_1 in the DSB-SC to calculate the noise power N_2 in the channel (in the absence of modulated signal).
- Calculate the Signal-to-noise (SNR) ratio at the output of the transmission line

$$SNR_2 = \frac{P_2}{N_2}$$

- Compare between SNR_1 and SNR_2

Part Two: Noise in USSB Modulation

Repeat the same procedure applied in part one to obtain the measurements and calculations for USSB modulation (as an example of SSB modulation technique). Compare your findings with that of DSB-SC.